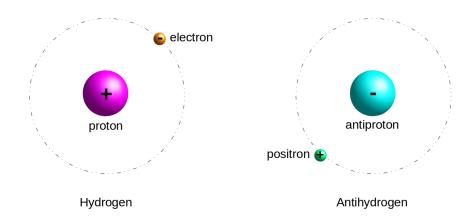


Outline

- Weak Equivalence Principle
- ALPHA
 - How is antihydrogen produced
 - How is antihydrogen trapped
- The ALPHA-g Apparatus
 - How is antihydrogen released
 - The radial Time Projection Chamber
 - Laser Calibration



Antihydrogen



- Antimatter counterpart of hydrogen
- Neutral atom
- Useful to test for Charge-Parity-Time (CPT) symmetry

The effects of gravity on antihydrogen

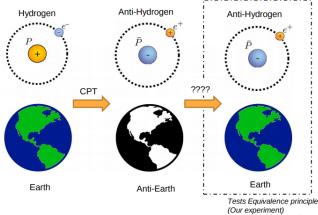
Einstein's Weak Equivalence Principle

The acceleration due to gravity that a body experiences is independent of its structure or composition

The effects of gravity on antihydrogen

Einstein's Weak Equivalence Principle

The acceleration due to gravity that a body experiences is independent of its structure or composition



Antiproton Decelerator

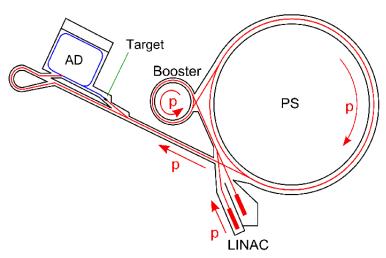
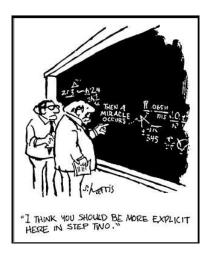


Image: Wikimedia Commons

How to make antihydrogen



How to make antihydrogen

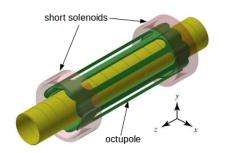


As explained by Andrew Evan's talk today at 13:12 PST

The Magnetic Minimum Trap

- Short solenoids provide axial confinement
- Octupole provides radial confinement

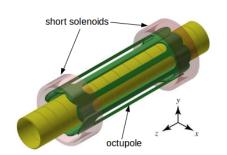
See Adam Powell's talk on Friday at 08:24 PST

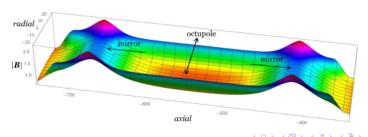


The Magnetic Minimum Trap

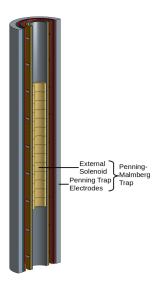
• Trap Depth: 0.8T

• Temperature: 0.5K for ground state antihydrogen

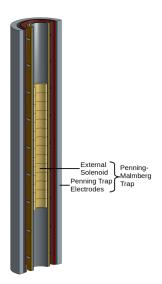


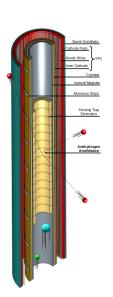


The ALPHA-g detector



The ALPHA-g detector





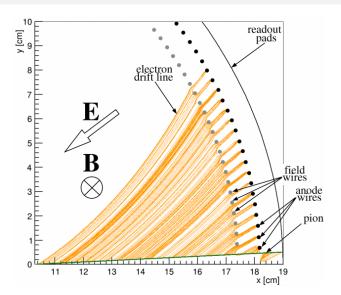
The radial Time Projection Chamber (rTPC)

- Gas detector surrounding the trap
- Detects the charged products of antihydrogen annihilations

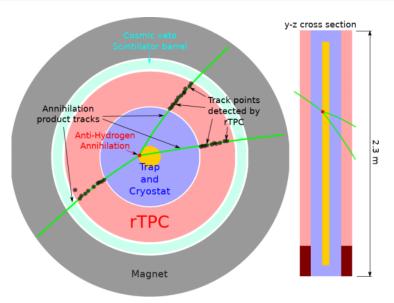




The radial Time Projection Chamber (rTPC)

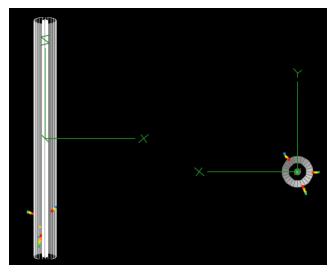


ALPHA-g Antihydrogen Detection



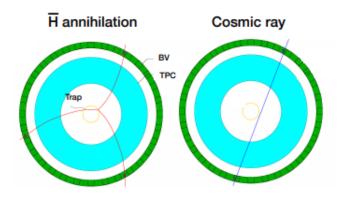
ALPHA-g Antihydrogen Detection

What we might expect to see in the event reconstruction



Cosmic Ray Backgrounds

- Cosmic rays are the largest source of background
- Discriminate between cosmic rays and antihydrogen annihilations



See Gareth Smith's talk today at 13:36 PST

Purpose

To understand the detector response in tracking particles in a non-uniform magnetic field

Purpose

To understand the detector response in tracking particles in a non-uniform magnetic field

Key observables: **Drift time** and **Lorentz angle**

Purpose

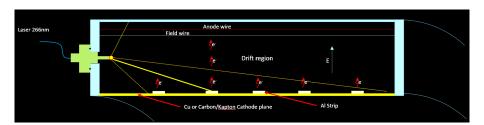
To understand the detector response in tracking particles in a non-uniform magnetic field

Key observables: **Drift time** and **Lorentz angle**

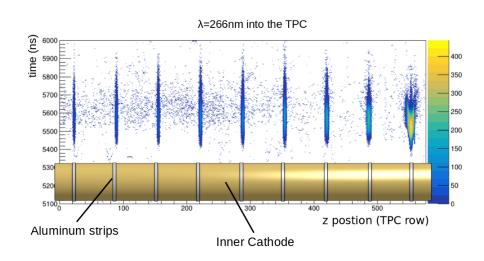
Factors that affect electron drift:

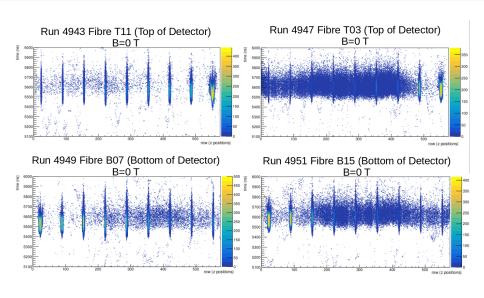
- pressure
- temperature
- gas mixture
- magnetic field

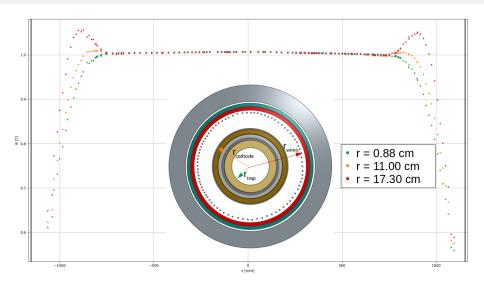
Technique

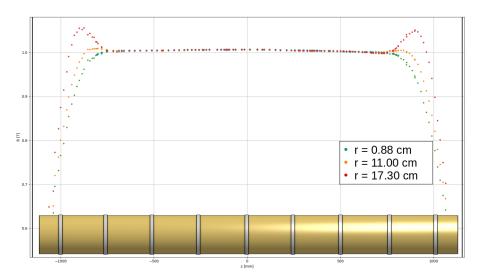


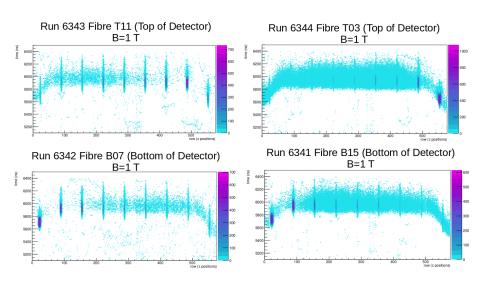


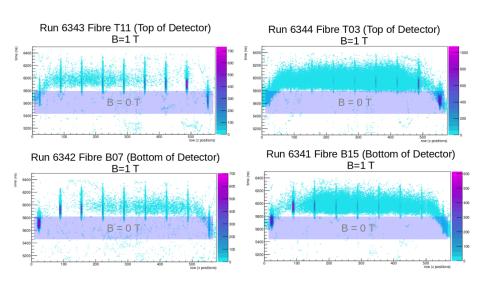














- Laser calibration is crucial to determining key drift information in the rTPC
- First results expected over the coming year

The ALPHA Collaboration

Thank you for listening!



Backup Slides

How to distinguish antiproton vs antihydrogen annihilations?

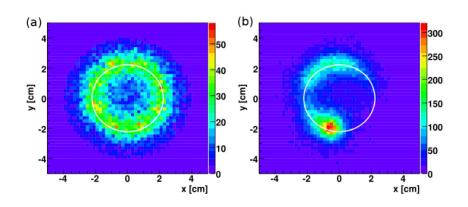
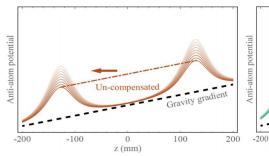
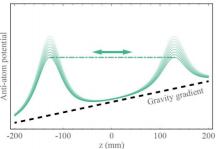


Figure: (a) antihydrogen (b) antiprotons (Image by Tim Friesen)

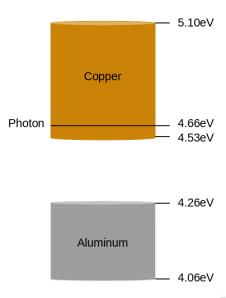
Balance Magnetic and Gravity Trapping

- Equal currents means loss of antihydrogen
- Larger current in bottom solenoid means an equal possibility of antihydrogen falling up or down



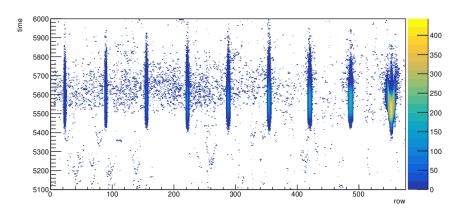


Work Functions



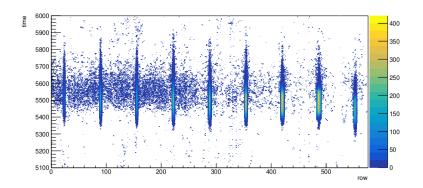
Laser Runs

Run 4943: Horizontal, T11, B=0



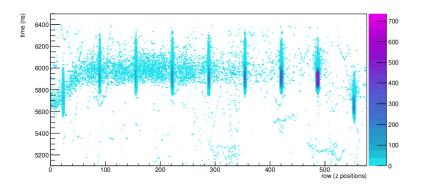
Laser Runs

Run 6457: Vertical, T11, B=0



Laser Runs

Run 6343: Vertical, T11, B=1



Laser Specifications

Laser type	Nd:YAG*
Laser pulsed beam	50 Hz
Wavelength	$266\mathrm{nm}$
Pulse Energy	$2.6~\mathrm{mJ}$
Near field beam diameter	1.7 mm
Al strip width	6 mm

^{*}neodymium-doped yttrium aluminium garnet

Lorentz Force and Drift Time

Lorentz force
$$\vec{F} = q(\vec{E} + \vec{v} \times \vec{B})$$

where the drift velocity can be defined as $\vec{v}_d = \mu_e \vec{E}$. The electron mobility, μ_e is dependent on the gas.

The radial coordinate can be defined as $r = |\vec{v}_d|t_d$ where t_d is the drift time.

Lorentz angle

The angle between drift velocity and magnetic field, α

 $\tan \alpha = \omega \tau$ where $\omega = \frac{e|\vec{B}|}{m}$ is the electron Larmor frequency and $\tau = \frac{m}{k}$.

m is the electron mass, and k is the frictional force proportional to \vec{v}_d