



Protein design using quantum/classical hybrid algorithms

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Quantum machine learning incubator

Quantum Machine Learning Program



Mission

By 2022 the QML Program will have produced more well-capitalized, revenue generating quantum machine learning software companies than the rest of the world combined. The majority of these will be based in Canada.



40 participants

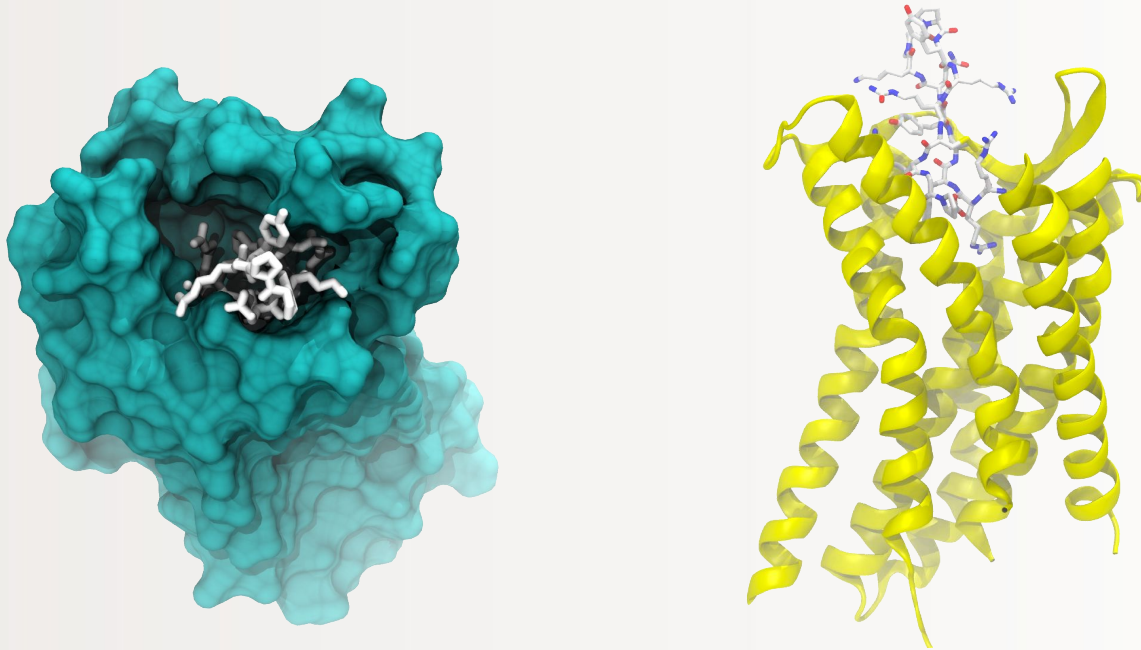


25 companies started



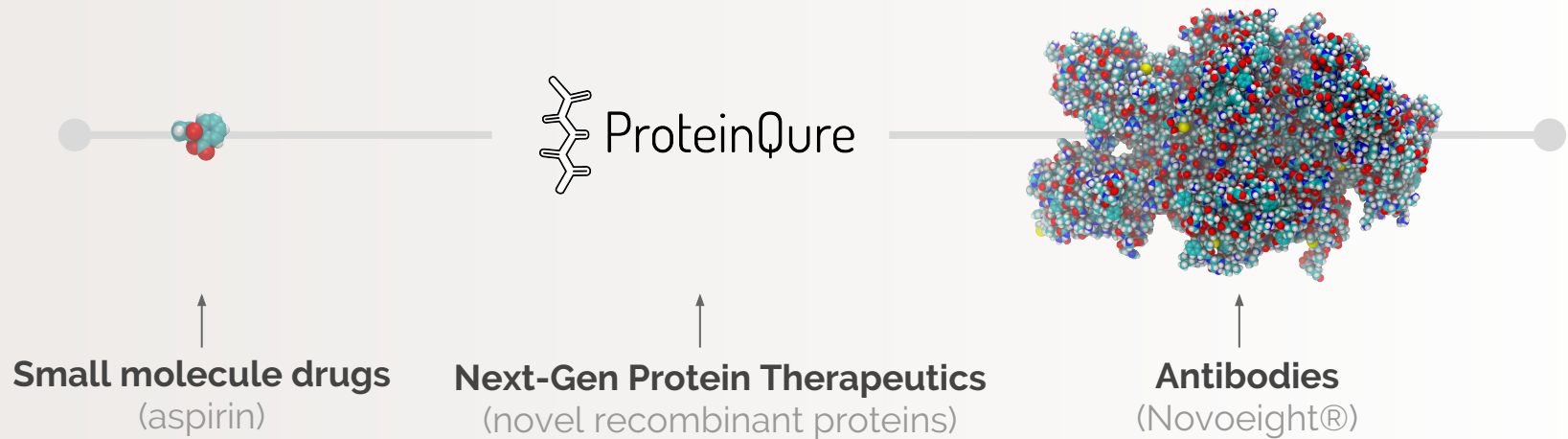
ProteinQure + 2 companies
'graduated'

Drug discovery: “finding the key to the lock”



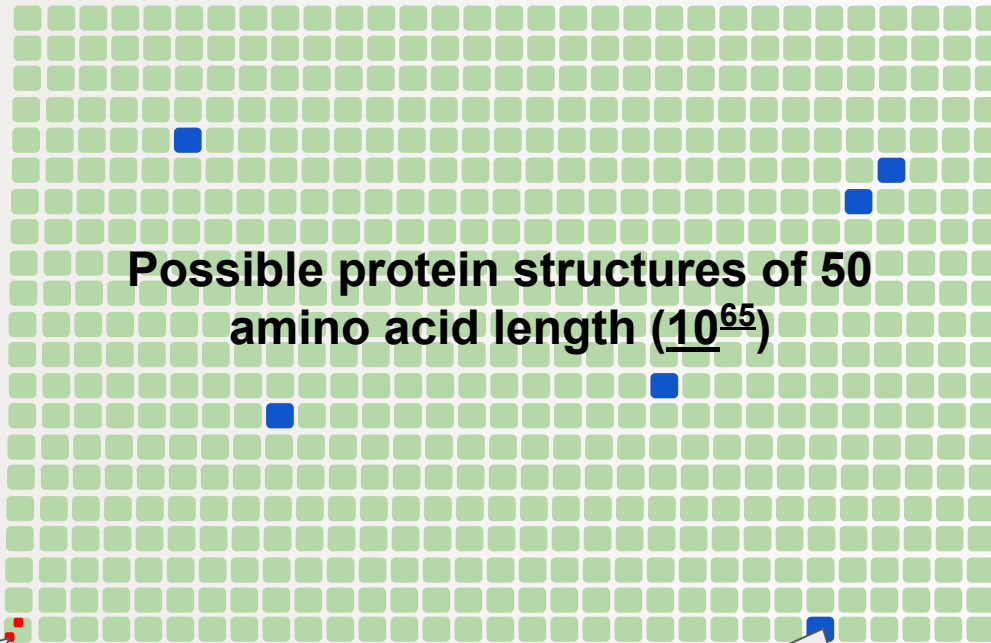
CXCR4 chemokine receptor in complex
with cyclic peptide, Science 330 (2010)

Computational design of protein therapeutics



ProteinQure is developing novel algorithms for designing next-generation protein therapeutics using quantum computing and machine learning.

Protein drug design is **limited by data availability and potential search space**

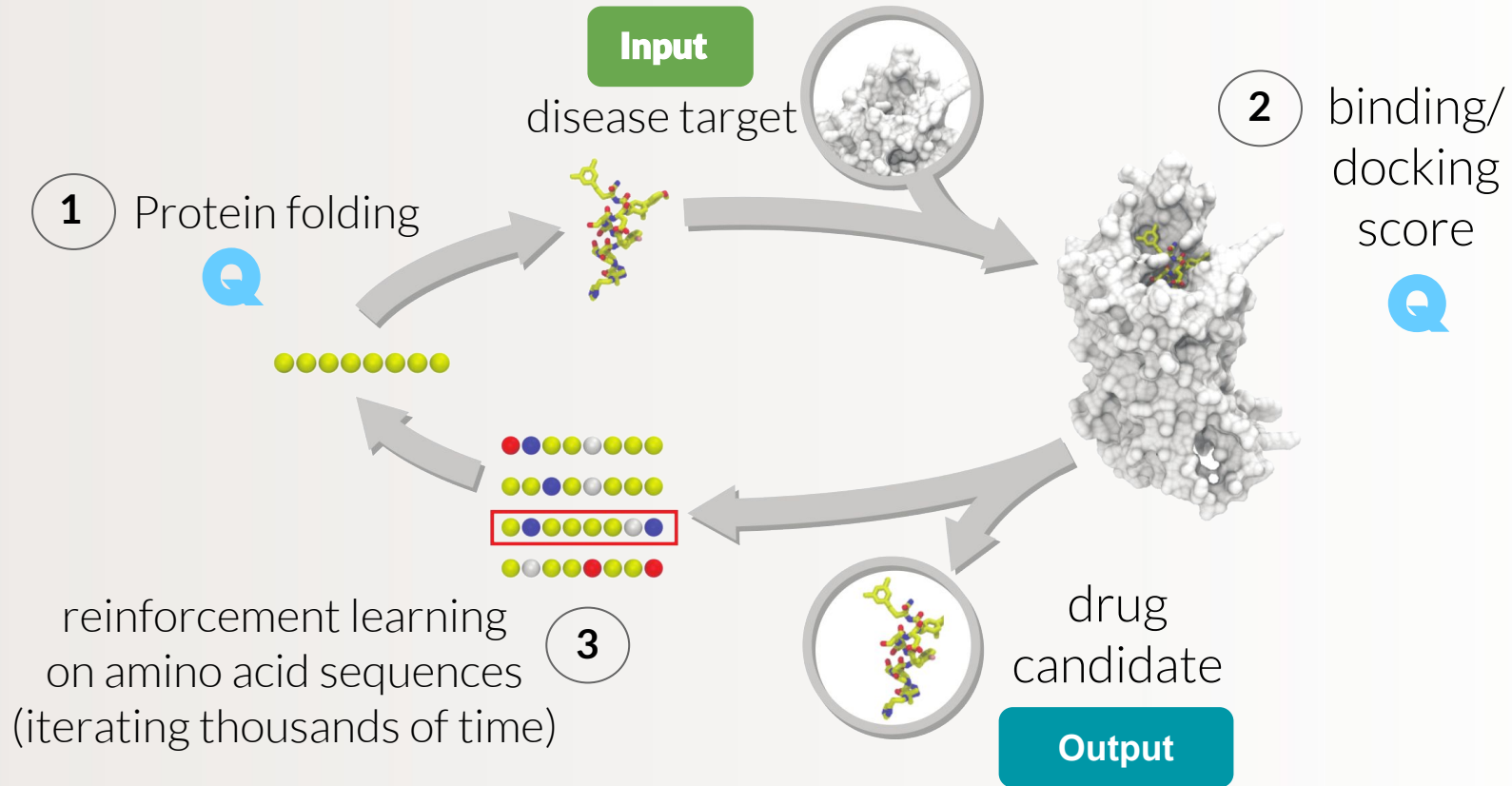


Known structures in protein data-bank (**150,000**)

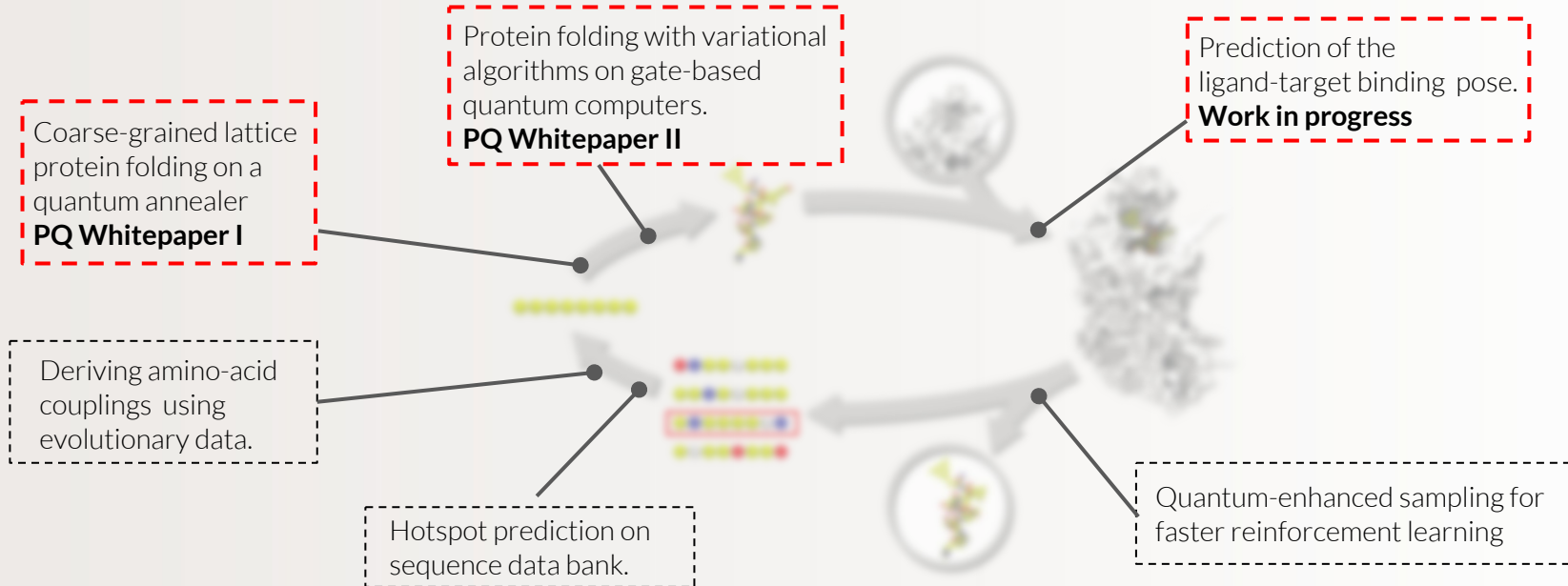
Protein structures in nature (**10^{15}**)

Our solution

Physical Simulations, Quantum Computing + Reinforcement Learning



Quantum optimization can speed up protein design



Hybrid methods will lead to speedups and the ability to scale to new problem sizes in the future.

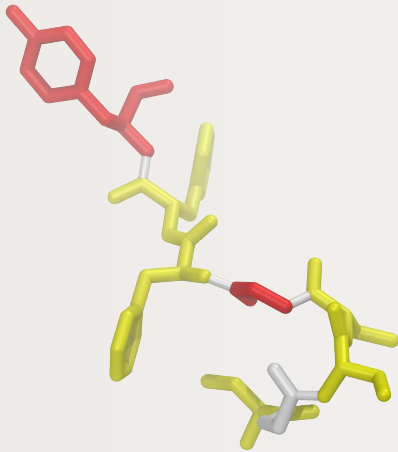
Lattice protein folding with quantum annealers

D:WAVE
The Quantum Computing Company™

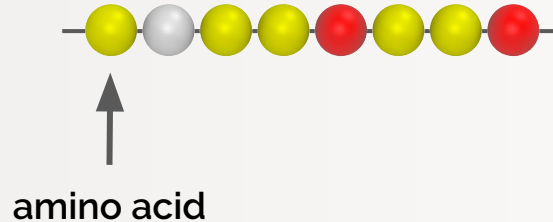
FUJITSU

1QBit

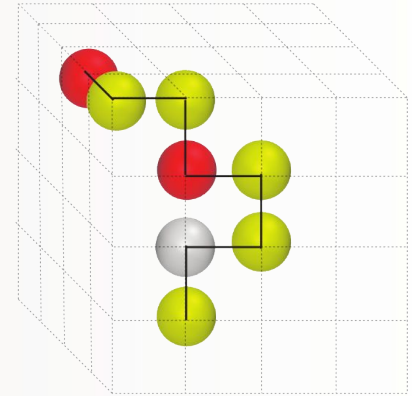
Coarse-grained lattice protein folding



Fully atomistic
protein model



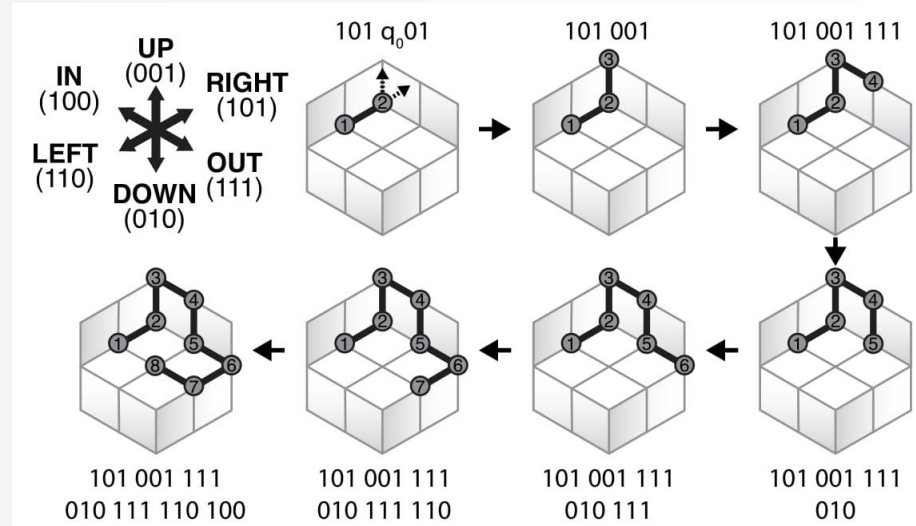
Coarse-grained
protein model



Lattice protein fold:
self-avoiding walks
on lattice

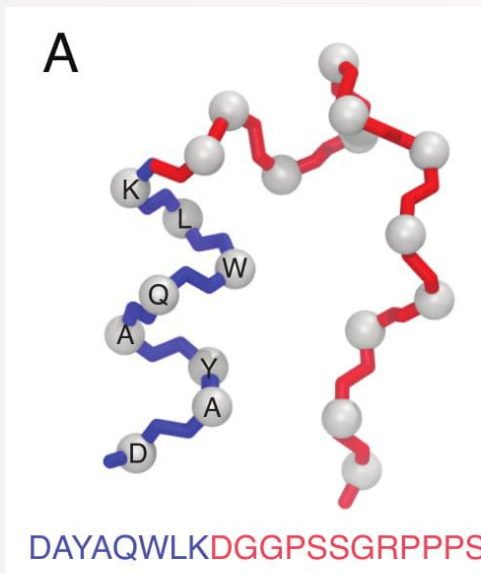
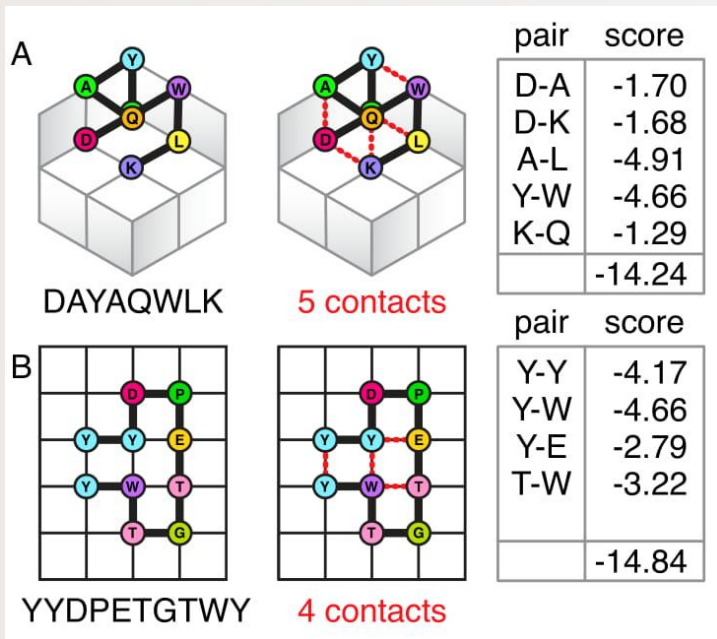
Ising encoding of lattice protein folding

- Early work by Babbush, Perdomo-Ortiz & Aspuru-Guzik (Phys. Rev. A. (2008), Adv. Chem. Ph. (2012) & arXiv (2012)) on planar lattices
- They were first to map lattice protein folding to an **Ising-type Hamiltonian**
- We **generalized** the approach to cubic lattices
- **Improved** the implementation from quadratic to quasilinear [$O(n \log n)$]



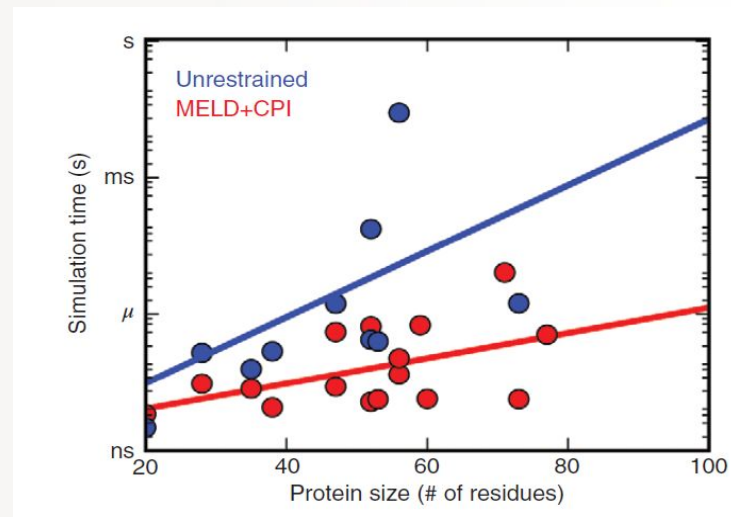
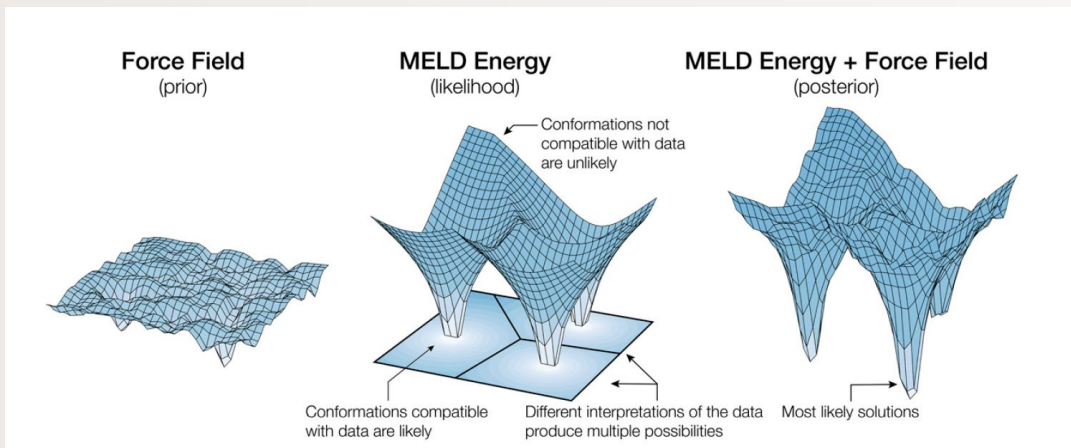
$$H(\mathbf{q}) = H_{\text{back}}(\mathbf{q}) + H_{\text{redun}}(\mathbf{q}) + H_{\text{olap}}(\mathbf{q}) + H_{\text{pair}}(\mathbf{q}).$$

Results obtained from the D-Wave 2000Q



We folded the largest proteins on today's quantum architectures (10 amino acids in 2D, 8 amino acids in 3D).

Restraint-based molecular dynamics simulations

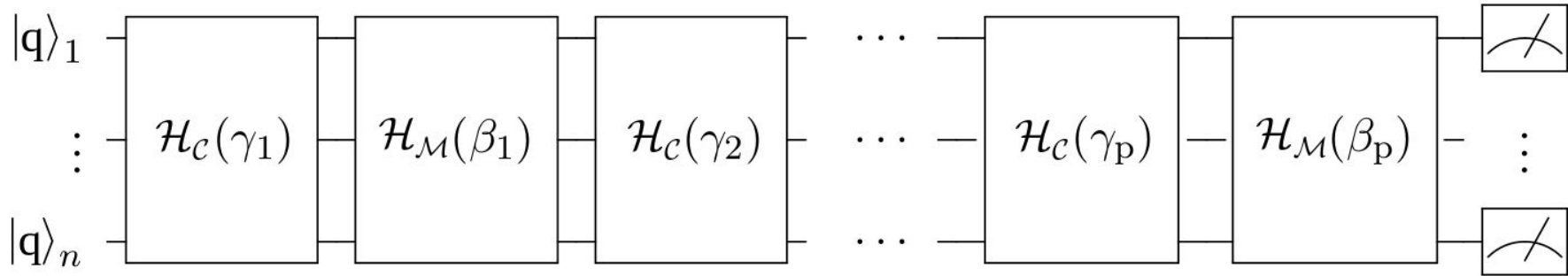


$$\overbrace{p(\mathbf{x}|\mathbf{D})}^{\text{posterior}} = \frac{p(\mathbf{D}|\mathbf{x})p(\mathbf{x})}{p(\mathbf{D})} \sim \overbrace{p(\mathbf{D}|\mathbf{x})}^{\text{likelihood}} \overbrace{p(\mathbf{x})}^{\text{prior}}.$$

Lattice protein folding with universal gate-based QCs

The logo for Rigetti, featuring the word "rigetti" in a lowercase, sans-serif font. The letter "r" is a darker shade of blue, while the rest of the letters are a lighter grey-blue.

Quantum approximate optimization algorithm (QAOA)



Maximize

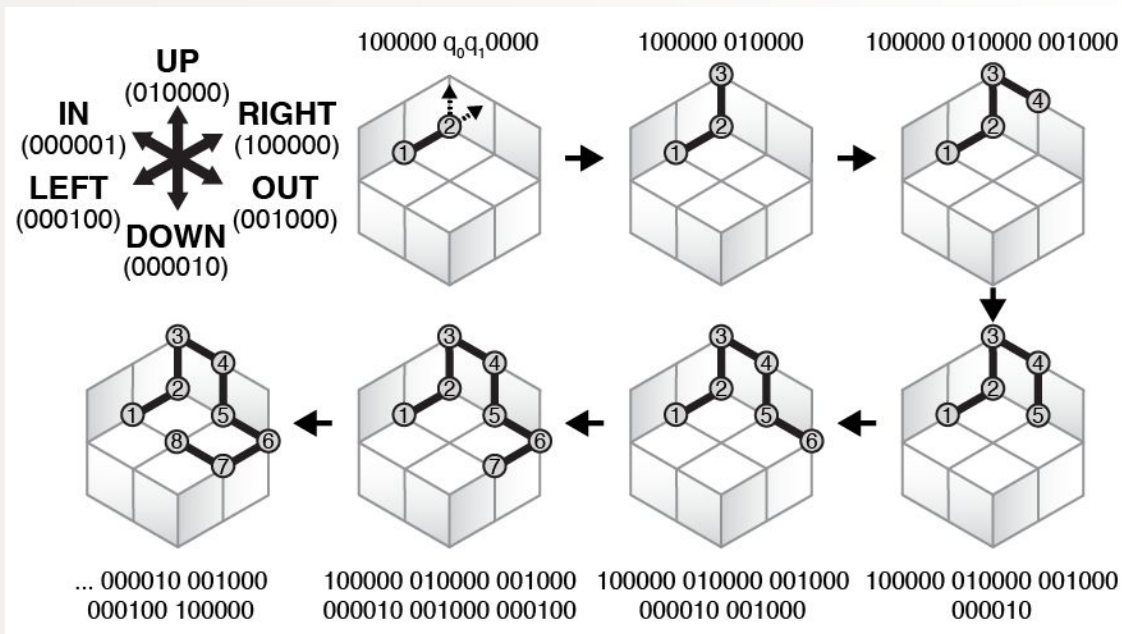
$$\langle \gamma, \beta | C | \gamma, \beta \rangle$$

One-hot encoding turns on a cubic lattice

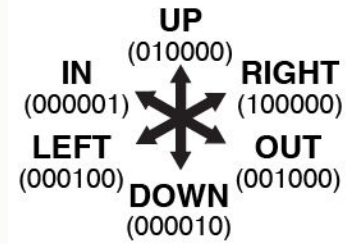
We one-hot encode the 6 spatial directions to ensure

constant Hamming weight

of valid solutions.



Feasible subspace



All bitstrings

111111 111111 111111

000000 000000 000000

000000 000000 110000

100000 010000 110001

**Feasible
bitstrings**

100000 100000 100000

100000 010000 100000

100000 010000 000100

100000 000100 000010

Making use of the QAOA Mixer Hamiltonian

Traditional X mixer

$$H_M = \sum_i X_i,$$

'scrambles all bits'

Proposed SWAP mixer

$$H_M = \text{SWAP}_{\text{simple}} = \sum_{t=1}^{N-2} M_t,$$

preserves Hamming weight!
> ensures that we stay in feasible subspace

where

$$M_t = \sum_{i=0}^{n-2} \sum_{j=i+1}^{n-1} \text{SWAP}_{i,j}.$$

and

$$\text{SWAP}_{i,j} = \frac{1}{2}(X_i X_j + Y_i Y_j).$$

Making use of the QAOA Mixer Hamiltonian

Short range overlaps

$$H_M = \text{SWAP}_{short} = \sum_{t=1}^{N-2} \sum_{k \neq k_n}^{n-1} M_{t,k,k_n},$$

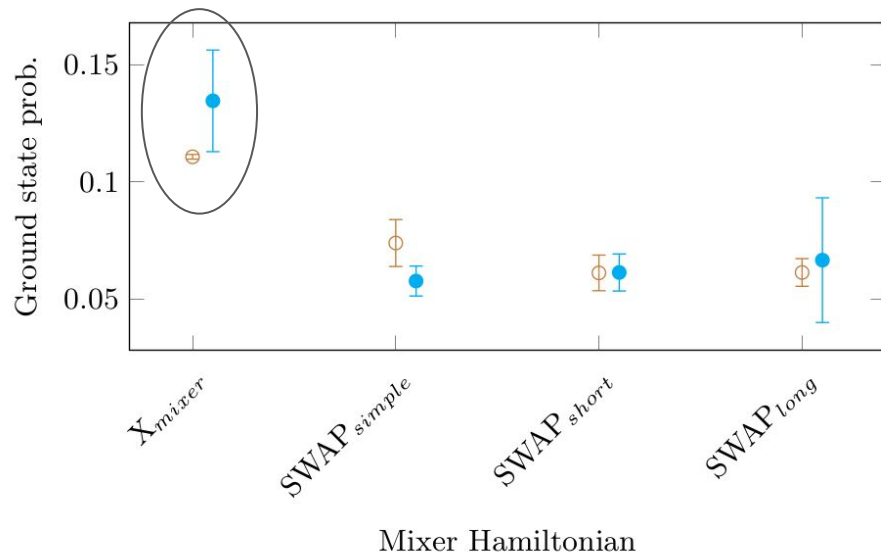
where

$$M_{t,k,k_n} = \frac{1}{4} \text{SWAP}(q_{m,k}, q_{m,k_n}) \prod_{j=0}^1 (\mathbb{1} + Z_{m+(-1)^j, \bar{k}_n})$$

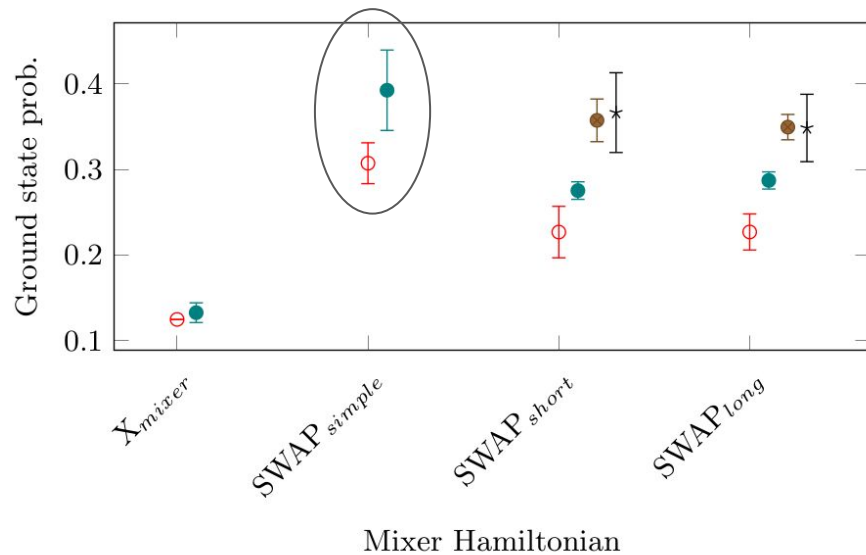
Long range overlaps

$$M_{t,k,k_n} \prod_{i=0}^{N-5} (1 + (D_{i,t+1} - 1)[(i - t) \bmod 2]).$$

Simulation results

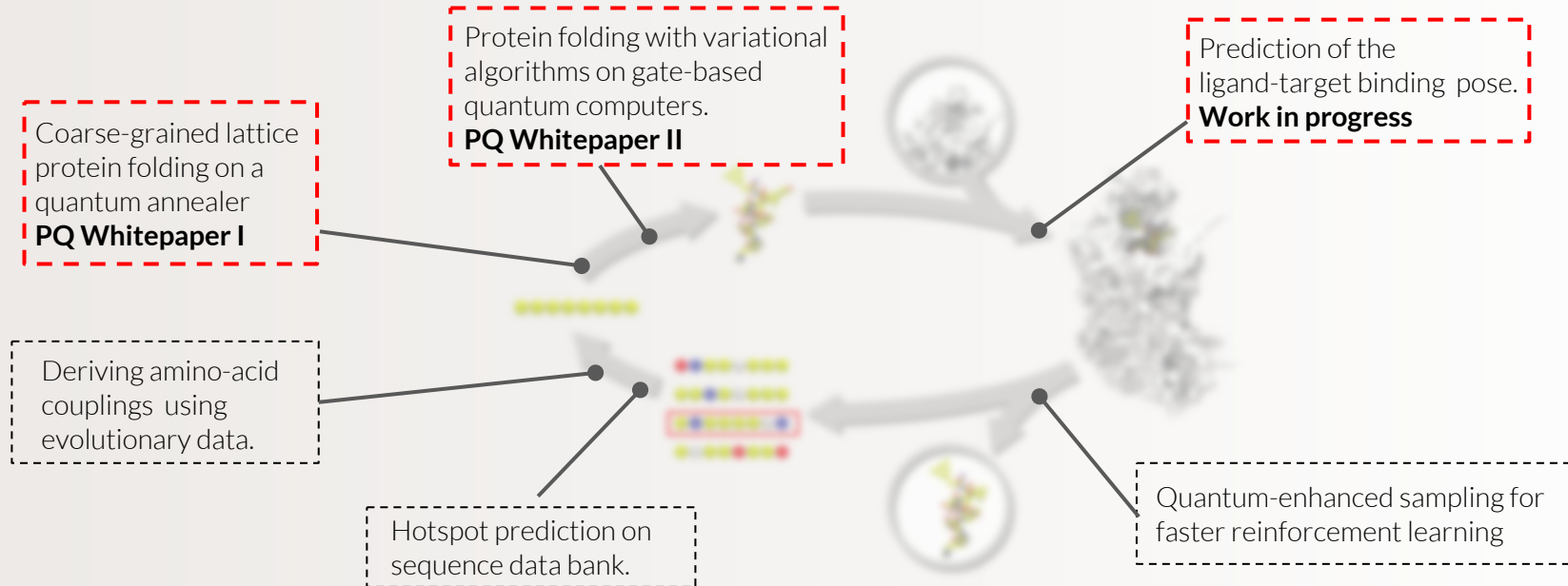


Initial state:
uniform superpos. over **all** bitstrings



Initial state:
uniform superpos. over **all feasible** bitstrings

Plenty of hard optimization problems in protein drug design

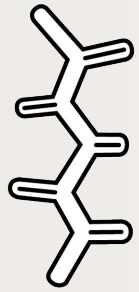


Hybrid methods will lead to speedups and the ability to scale to new problem sizes in the future.

Interested in collaborating?

Reach out to us if you're interested in:

- Quantum algorithm development
- Hybrid quantum/classical algorithms on NISQ devices
- Life science applications of quantum computing
- Programming on all the different hardware platforms



ProteinQure

Computational drug discovery
employing machine learning
and quantum computing

Contact us!

mark@proteinquire.com

Or visit our website @ www.proteinquire.com



Deeper circuits depths are needed

H_M	Qubits	CNOT depth	Total depth	Qubits	CNOT depth on 19Q-A	Total depth on 19Q-A
X_{mixer}	6	104	116	11	243	608
$SWAP_{simple}$	6	116	140	10	265	651
$SWAP_{short}$	6	132	186	11	392	921
$SWAP_{long}$	6	132	186	11	392	916
$X_{mixer} + I$	6	111	146	11	329	820
$SWAP_{simple} + I$	6	123	170	11	342	842
$SWAP_{short} + I$	6	146	220	11	348	846
$SWAP_{long} + I$	6	146	220	11	348	833

Realistic CNOT depths right now:

- Rigetti: 10.
- Google: 40.

Folded the mini-protein PSVK using Rigetti's 19Q-Acorn by breaking the problem into subproblems.

ProteinQure's Story & Roadmap

