

V3.5

## "Finding New Dynamics by *Judgments*"

Motto: Impact of Non-perturbative QCD on CP Violation  
in Many-Body Final States of Flavor Transitions

Ikaros Bigi, Notre Dame du Lac

Victoria, May 2019

`Gods' (= Symmetries) speak in Riddles

*Fitting* the data vs. *Information* inside the data

1<sup>st</sup> step: models

2<sup>nd</sup> step: model-independent analyses – indeed, true progress

3<sup>rd</sup> step: *best fitted analyses* often do *not* give the best

information about the dynamics; data are the referees in the end!

crucial: *collaborations* of *experimenters* & *theorists* with

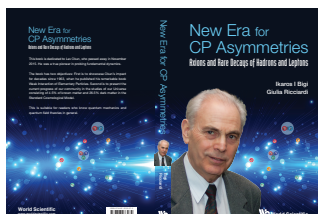
*correlations* & *judgments* !

*Goal* for this century (& this conference):

establish the existence of New Dynamics & their features



*Tools*: -- probe *many-body* non-leptonic FS

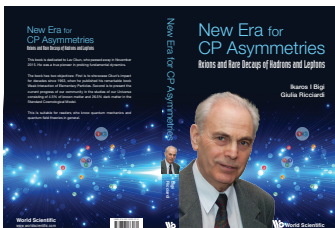
-- collaboration of HEP & Hadrodynamics from different `cultures'



My Plan (much less the minutes than the `items'):

- (I)     Introductions: *Wilsonian* OPE, *broken* U- & V-spin symmetries
- (II a)   *Quark Masses* in Quantum Field Theories (QFT)
- (II b)   *Consistent* Parameterization of the CKM Matrix
- (III)    April 2019: *Direct CP asymmetry* in  $D^0 \rightarrow K^+K^-$  vs.  $\pi^+\pi^-$  !
- (IV)     *3- & 4-body* Final States in Beauty & Charm Mesons
- (V)     Challenges for Beauty & Charm & Strange *Baryons*
- (VI)     Summary: Need *Collaboration* of HEP & MEP/Hadrodynamics

On the slides I think there are important items, see this symbol   
number of  is 19



# (I) Introduction: *Wilsonian* OPE, *broken* U- & V-spin symmetries

## (I.1) *Wilsonian* Operator Product Expansion (OPE)

Almost all invoke OPE -- often *without* using *Wilsonian* prescription!  
Shifman & collaborators had emphasized applying OPE is subtle:

the *Wilsonian* OPE *stops* at  $\sim 1$  GeV, not sizably lower



arXiv: hep-ph/9703290 (BSU):

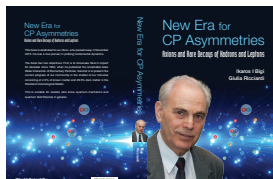
effective Lagrangian  $T(H \rightarrow f) = \dots \sum_i c_i(\mu) \langle f | O_i(\mu) | H \rangle$

with "soft"  $\langle \mu \rangle$  < "hard";  $\mu$  demarcation between long- & short-distance forces

-- *broken*  $SU(3)_{\text{flavor}}$  can be described by 3  $SU(2)$  with I-, U- & V-spin symmetries

-- (u,d) are obviously combined for Iso-spin symmetry

-- broken U-spin symmetry *without* V-spin is okay for *strong spectroscopy*, where (s,d) are combined.



-- *weak* decays?

-  $A_{CP}(B^0 \rightarrow K^+\pi^-) = -0.082 \pm 0.006$

[ $\tau(B^0) = 1.52 \times 10^{-12} \text{ s}$ ,  $BR(B^0 \rightarrow K^+\pi^-) = (1.96 \pm 0.05) \times 10^{-5}$ ]

1987 prediction by Uraltsev, IIB, ...:  $A_{CP}(B^0 \rightarrow K^+\pi^-) \sim -0.1$

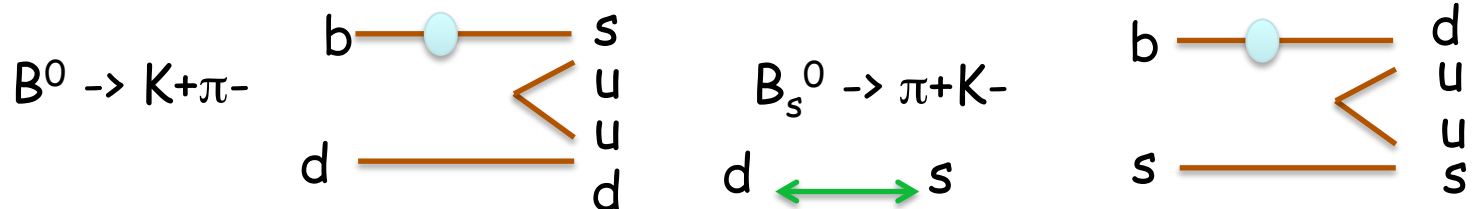
it shows the impact of Penguin diagrams, but semi-quantitatively ??

-  $A_{CP}(B_s^0 \rightarrow \pi^+K^-) = +0.26 \pm 0.04$

[ $\tau(B_s^0) = 1.51 \times 10^{-12} \text{ s}$ ,  $BR(B_s^0 \rightarrow \pi^+K^-) = (0.56 \pm 0.06) \times 10^{-5}$ ]

- Can we predict this connection with the 2018 data from run-1?

-- it had been suggested by Lipkin in 2005 to use  $U$ -spin symmetry

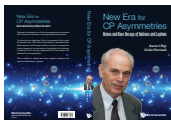


`Popes' know `our' world is *not* perfect; in this case of Lipkin:

$\tau(B_d) \approx \tau(B_s): A_{CP}(B_d \rightarrow K^+\pi^-)/A_{CP}(B_s \rightarrow \pi^+K^-) \neq 1, \Gamma(B_s \rightarrow \pi^+K^-)/\Gamma(B_d \rightarrow K^+\pi^-) \neq 1$

$\Delta = A_{CP}(B_d \rightarrow K^+\pi^-)/A_{CP}(B_s \rightarrow \pi^+K^-) + \Gamma(B_s \rightarrow \pi^+K^-)/\Gamma(B_d \rightarrow K^+\pi^-) = 0$

- to get the opposite sign in the SM is obvious



$$\Delta = A_{CP}(B_d \rightarrow K^+\pi^-) / A_{CP}(B_s \rightarrow \pi^+K^-) + \Gamma(B_s \rightarrow \pi^+K^-) / \Gamma(B_d \rightarrow K^+\pi^-) = 0$$

LHCb Collab. PRD 98 (2018) 032004 (all data from the *run-1*):

$$A_{CP}(B_s \rightarrow \pi^+K^-) = +0.213 \pm 0.015 \pm 0.007, \quad A_{CP}(B_d \rightarrow K^+\pi^-) = -0.084 \pm 0.004 \pm 0.003$$

$$2018: \Delta_{LHCb} = -0.11 \pm 0.04 \pm 0.03$$

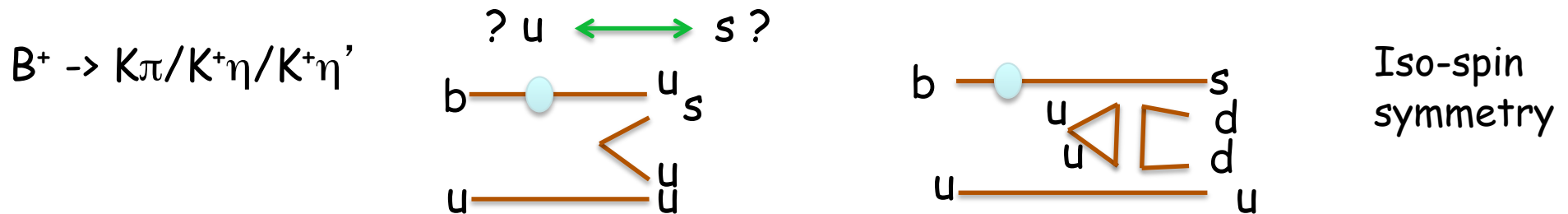
--  $\Delta_{LHCb}$  is still consistent with zero

--  $\Delta_{LHCb}$  is consistent with  $\sim 0.1$  as expected for direct CPV for 2-body FS

-- *re-scattering!*  $d \longleftrightarrow s$

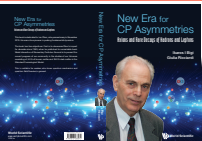
- U-spin is sizable broken

- correlations of U-spin with V-spin due to *re-scattering*



$$A_{CP}(B^+ \rightarrow K_S \pi^+) = -0.017 \pm 0.016, \quad A_{CP}(B^+ \rightarrow K^+ \pi^0) = +0.037 \pm 0.021$$

$$A_{CP}(B^+ \rightarrow K^+ \eta) = -0.37 \pm 0.08, \quad A_{CP}(B^+ \rightarrow K^+ \eta') = +0.004 \pm 0.011$$



1<sup>st</sup> lesson: difference between U- & V-spin is 'fuzzy'  
 2<sup>nd</sup> lesson: we have to go *well beyond* 2-body FS

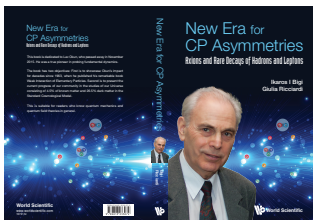


## (IIa) Quark Masses in Quantum Field Theories (QFT)

- Pole mass is gauge independent; furthermore, it is *perturbative* infrared in QCD. However, it is *not* infrared stable *non-perturbatively*.
- It is easy to apply pole mass in Feynman diagrams. Yet pole mass depend on long distance dynamics, for what we have little control. One cannot ignore the impact of IR renormalons; I just mention that.

For a Reference:

M. Shifman, in "QCD & Heavy Quarks, In Memoriam Nikolai Uraltsev",  
World Scientific; [arXiv:1310.1966 \[hep-th\]](https://arxiv.org/abs/1310.1966)



## (IIa) Quark Masses in Quantum Field Theories (QFT)

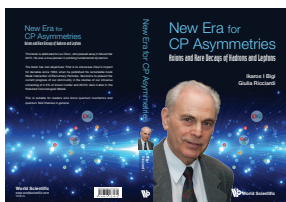
### (IIa.1) Definitions of Quark Masses: " $\overline{MS}$ ", "kinetic", "PS"; '1S', 'pole mass'

-- " $\overline{MS}$ " ('modified minimal subtraction scheme'): for  $\mu > m_Q$  basically coincides with the running mass to describe their *production*.  
However, it *diverges logarithmically* for  $\mu \rightarrow 0$ .

The 'landscape' is very different from the *weak decays* of  $H_Q$ .

-- The "kinetic scheme" regular in the IR region is the best  
$$dm^{\text{kin}}_Q(\mu)/d\mu = -(16\alpha_s/9\pi) - (4\alpha_s/3\pi)(\mu/m_Q) + O(\alpha_s^2)$$

-- The "PS (= potential-subtracted) scheme" is different in the conceptual level; [technical problems of "PS" arise at  $O(\alpha_s^4)$ ];  
still "PS" is in the same 'division' of fundamental physics.



## (IIa) Quark Masses in Quantum Field Theories (QFT)

### (IIa.1) Definitions of Quark Masses: "MS", "kinetic", "PS"; '1S', 'pole mass'

-- "MS" ('modified minimal subtraction scheme'): for  $\mu > m_Q$  basically coincides with the running mass to describe their *production*.

However, it *diverges logarithmically* for  $\mu \rightarrow 0$ .

The 'landscape' is very different from the *weak decays* of  $H_Q$ .

-- The "kinetic scheme" regular in the IR region is the best

$$dm_{Q}^{\text{kin}}(\mu)/d\mu = -(16\alpha_s/9\pi) - (4\alpha_s/3\pi)(\mu/m_Q) + O(\alpha_s^2)$$

-- The "PS (= potential-subtracted) scheme" is different already in the conceptual level; [technical problems of "PS" arise at  $O(\alpha_s^4)$ ]; still "PS" is in the same 'division' of fundamental physics.

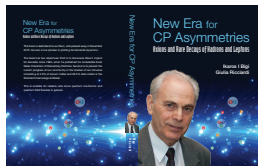
-- 2018 PDG review basically ignores "kinetic" & "PS" schemes, while focus in the '1S scheme' with  $m_b^{1S} \approx M_{Y(1S)}/2$  by

It claims these schemes give us the same information about underlying dynamics -- however, I quite disagree!

Uraltsev pointed out:  $m_b^{1S} = m_b^{\text{pole}} [1 - C_F^2 (\alpha_s^2/\pi) + /- O(\alpha_s^3, \beta_0 \alpha_s^3 \log \alpha_s)]$ ;

$m_b^{1S} \approx M_{Y(1S)}/2$  is a 'easy scheme',

yet it is *not* well-defined at the *non-perturb.* level!





## (IIb) Parameterization of the CKM Matrix

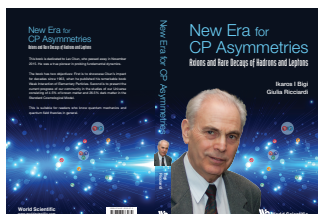
### (IIb.1) Wolfenstein's parameterization

Wolfenstein's parameterization was very smart, easily usable, well-known & used all the time. The SM with 3 families of quarks describes the CKM matrix with 4 parameters:  $\lambda$ ,  $A$ ,  $\rho$ ,  $\eta$ ;  
expansion of  $\lambda = 0.223$ , while  $A$ ,  $\rho$ ,  $\eta$  are  $O(1)$ .

`Real' world

*Measured values:*

$A \approx 0.82$ ; however:  $\eta \approx 0.35$ ,  $\rho \approx 0.14$  not close to unity;  
-- thus not real control over *systematic* uncertainties.



## (IIb.2) Consistent parameterization

Need *consistent* parameterization of CKM matrix with more precision [Y.H. Ahn, H-Y. Cheng, S. Oh (2011)] *through*  $O(\lambda^6)$ !

$$\begin{bmatrix} 1-\lambda^2/2-\lambda^4/8-\lambda^6/16 & , & \lambda & & h\lambda^4\exp(-i\delta_{QM}) \\ -\lambda+\lambda^5f^2/2 & , & 1-\lambda^2/2-\lambda^4/8(1+4f^2)-fh\lambda^5\exp(-i\delta_{QM})+\dots & , & f\lambda^2+h\lambda^3\exp(-i\delta_{QM})+\dots \\ f\lambda^3 & , & -f\lambda^2-h\lambda^3\exp(-i\delta_{QM})+\dots & , & 1-\lambda^4/2 f^2 - fh\lambda^5\exp(-i\delta_{QM})+\dots \end{bmatrix}$$

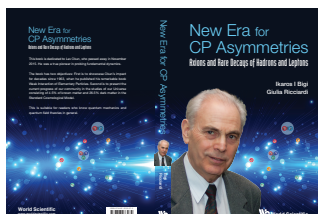
with  $f \sim 0.75$ ,  $h \sim 1.35$ ,  $\delta_{QM} \sim 90^\circ$

Pattern is not so obvious as before:



*correlations between 4 triangles*, not focus 'golden one'

- maximal SM value for  $S(B^0 \rightarrow \psi K_S) \sim 0.74$  for indirect CPV
- SM value  $S(B_s^0 \rightarrow \psi \phi) \sim 0.03 - 0.05$
- basically zero CPV for *double Cabibbo suppressed* decays
  - *hunting region for ND!*
  - ...



### (III) April 2019: *Direct CP asymmetry* in $D^0 \rightarrow K^+K^-$ vs. $\pi^+\pi^-$ !

Now we are just entering a new era:

for the first time CP violation has been established in  $\Delta C \neq 0$  !

LHCb collaboration has shown its data from the run-1 & run-2:

$$! \Delta A_{CP} = A_{CP}(D^0 \rightarrow K^+K^-) - A_{CP}(D^0 \rightarrow \pi^+\pi^-) = (-15.4 \pm 2.9) \times 10^{-4} !$$

*indirect CPV* was found first in  $\Delta S \neq 0 \neq \Delta B$ , but not yet for  $\Delta C \neq 0$ ;

SM 'paints' the 'landscape' for indirect CPV  $\sim 10^{-4} - 10^{-3}$ .

Here I talk about SCS rates [below I will discuss DCS ones]:

-- BR( $D^0 \rightarrow K^+K^-$ )  $\sim 4 \times 10^{-3}$  vs. BR( $D^0 \rightarrow \pi^+\pi^-$ )  $\sim 1.4 \times 10^{-3}$ ;

-- BR( $D^+ \rightarrow K^+K_S$ )  $\sim 2.8 \times 10^{-3}$  ;

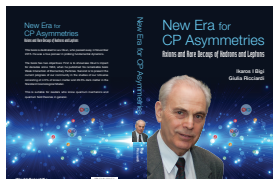
-- BR( $D_S^+ \rightarrow \pi^+K_S$ )  $\sim 1.2 \times 10^{-3}$  ;

three comments:

-- first one probes direct CP asymmetries in 2-body FS;

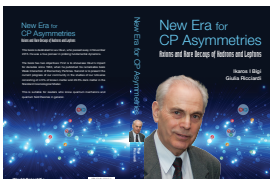
-- present data show the impact of FSI ?

-- it is crucial to probe 3- & 4-body FS; I will come back below. \*



## (IV) 3- & 4-body Final States in Beauty & Charm Mesons

- (1) For **experimenters** it is easier to measure 2-body FS (& narrow resonances), for suppressed transitions; for **theorists** to predict those & to analyze the data.
  - (2) However, the goal is to probe CPV: it gives only numbers.
  - (3) 2-body FS of suppressed non-leptonic weak decays are a small part of charm mesons & tiny ones for beauty mesons;
    - data show that;
    - it is not surprising.
  - (4) 3- & 4-body FS are described by two-& more *dimensional* plots.
- ☹ Price: lots of data & work both for **experimenters** & **theorists**
- ☺ Prize: find existence & *features* of **New Dynamics (ND)**!
- the situations are very different for  $\Delta S= 1$  & 2
- local operators
  - FS with only one & two pions



$$T(P \rightarrow a) = \exp(i\delta_a) [T_a + \sum_{aj \neq a} T_{aj} i T_{aj,a}^{\text{resc}}]$$

$$T(\bar{P} \rightarrow \bar{a}) = \exp(i\delta_a) [T_a^* + \sum_{aj \neq a} T_{aj}^* i T_{aj,a}^{\text{resc}}]$$

$$\Delta\gamma(a) = |T(\bar{P} \rightarrow \bar{a})|^2 - |T(P \rightarrow a)|^2 = 4 \sum_{aj \neq a} T_{aj,a}^{\text{resc}} \text{Im} T_a^* T_{aj} \quad *$$

Without strong re-scattering *direct CP asymmetries cannot happen, even if there are weak phases.*

Misha & Misha & collab.; Wolfenstein

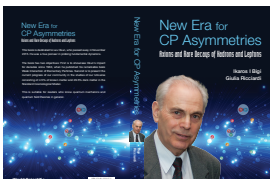
The goal: measuring CP asymmetries probes *existence* & even *features* of *New Dynamics (ND)*:

they can depend only on an amplitude.

$$\Delta\gamma(a) = |T(\bar{P} \rightarrow \bar{a})|^2 - |T(P \rightarrow a)|^2 = 4 \sum_{aj \neq a} T_{aj,a}^{\text{resc}} \text{Im} T_a^* T_{aj} \quad *$$

There are tools to deal with much more & 'complex' data:

- fitting the data is the 2<sup>nd</sup> step, but not the final one!
- unitary
- dispersion relations ...
- chiral symmetry: pions [+++], kaons [++/+]?



## (IV.1) 3-body Final States in general



Dalitz plots (with pions, kaons,  $\eta$  &  $\eta'$ ) probe the underlying dynamics with two observables: *without* angular correlations a plot is flat, while resonances & thresholds show their impact from their deviations; excellent record both about strong forces & weak ones.

Four main statements:

(a) The FS are *not* described only by a sum of (semi-)2-body FS & their interferences; true 3-body FS happen in the weak decays of charm & beauty mesons.

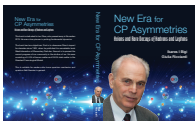
(b) **Best fitted analyses** often do *not* give us the best information about the **underlying dynamics**.

(c) We have *broad* resonances in the region of  $\sim 1 - 3$  GeV; scalar ones like  $f_0(500)/\sigma$ ,  $K^*_0(700)/\kappa$  etc. cannot be described with Breit-Wigner parameterization.

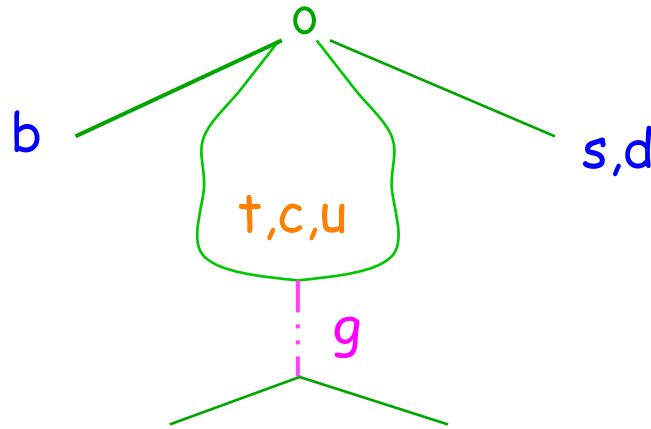
(d) Maybe the centers of the Dalitz plots are somewhat empty?

**correlations & judgments !**

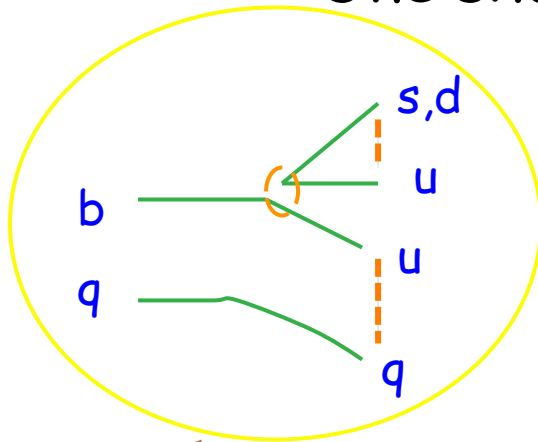
Not trivial to connect the world of hadrons with the diagrams of quarks & gluons. Re-scattering / non-perturbative forces !



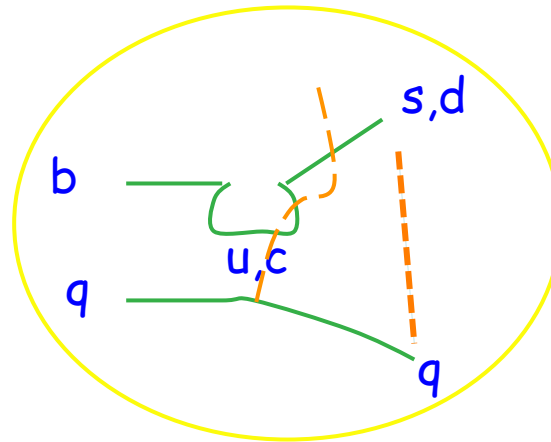
`penguin' diagrams:  
well-known for  
inclusive one --



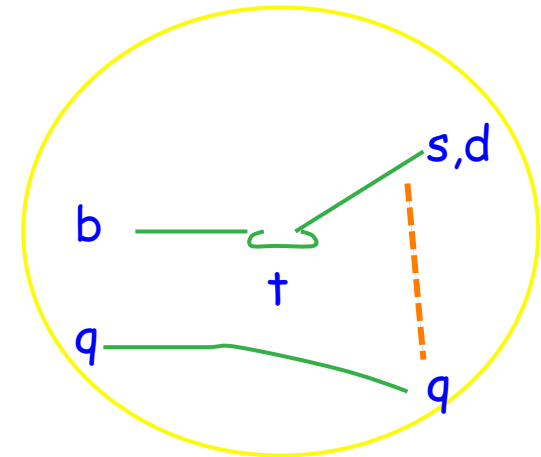
One should *not only* look on diagrams



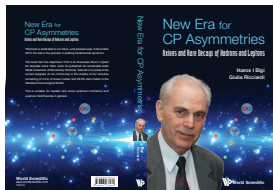
local operator  
with **weak** phase



**non**local operator  
with **strong** phase



local operator not  
needed, but it is there

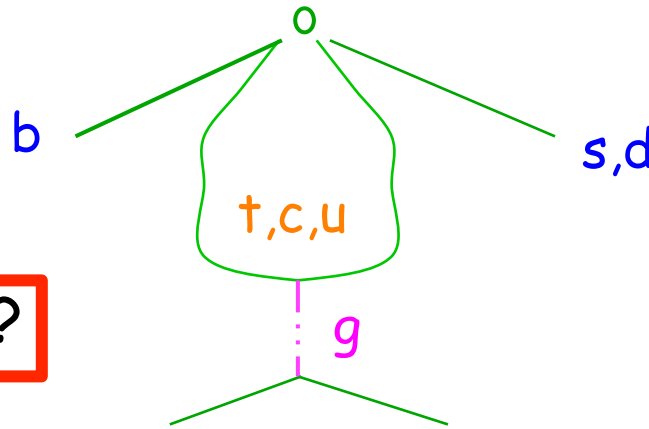


$b \rightarrow s \bar{c} c$  &  $s \bar{u} u$  `paint' re-scattering

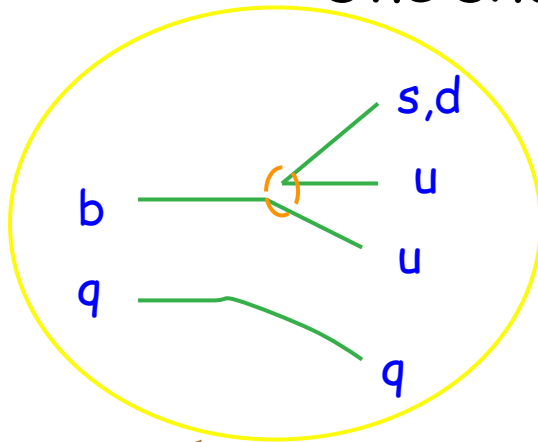
$$\Delta\gamma(a) = |T(\bar{P} \rightarrow \bar{a})|^2 - |T(P \rightarrow a)|^2 = 4 \sum_{aj \neq a} \boxed{T_{aj,a}^{\text{resc}}} \boxed{\text{Im} T_a^* T_{aj}}$$

`penguin' diagrams:  
well-known for  
inclusive one --

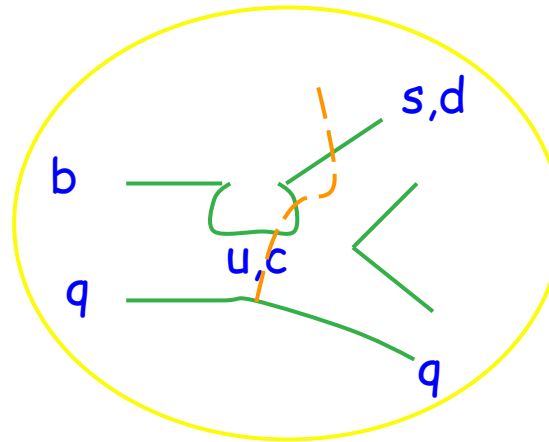
about *exclusive* ones?



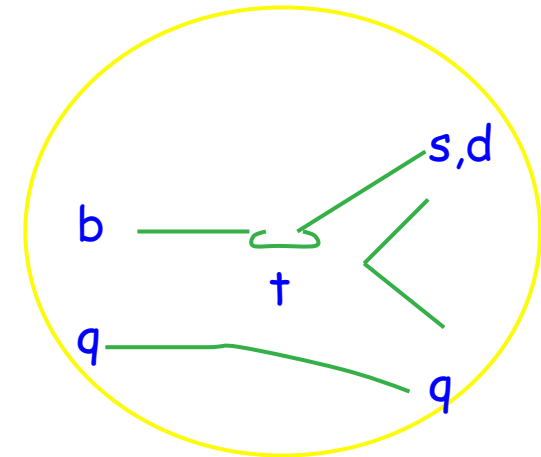
One should *not only* look on diagrams



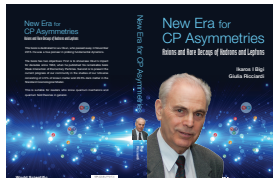
local operator  
with *weak* phase



nonlocal operator  
with *strong* phase



local operator not  
needed, but it is there



$b \rightarrow s \bar{c} c$  &  $s \bar{u} u$  `paint' re-scattering

$$\Delta\gamma(a) = |T(\bar{P} \rightarrow \bar{a})|^2 - |T(P \rightarrow a)|^2 = 4 \sum_{aj \neq a} T_{aj,a}^{\text{resc}}$$

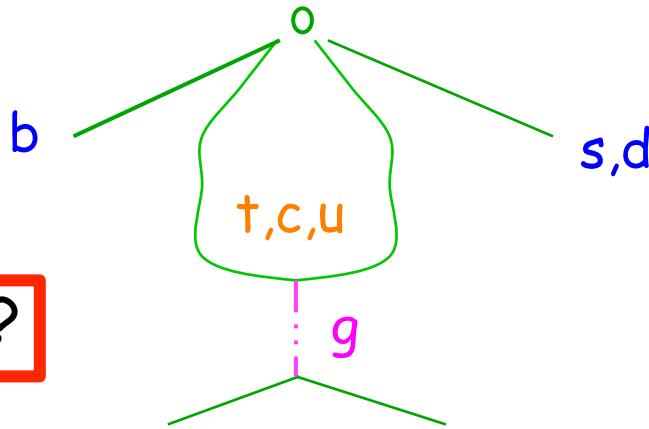
$$\text{Im} T_a^* T_{aj}$$



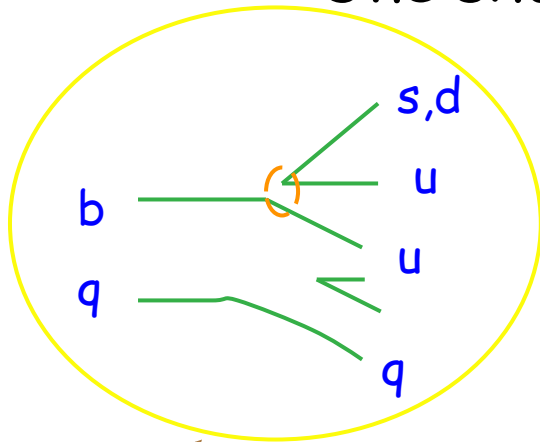


`penguin' diagrams:  
well-known for  
inclusive one --

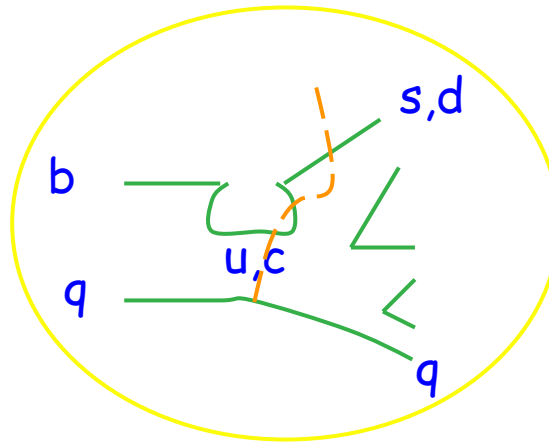
about *exclusive* ones?



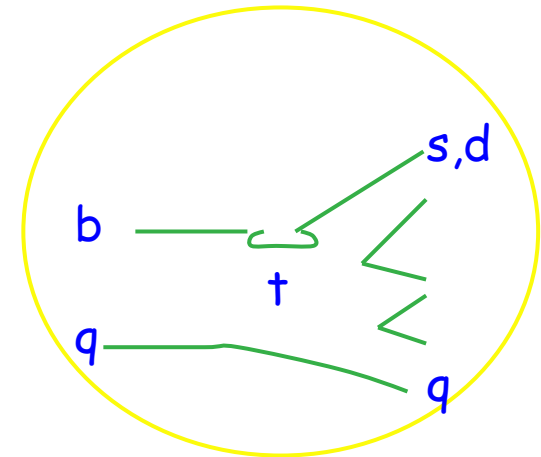
One should *not only* look on diagrams



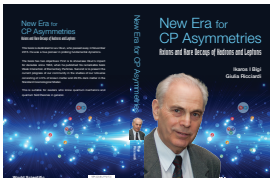
local operator  
with *weak* phase



nonlocal operator  
with *strong* phase



local operator not  
needed, but it is there

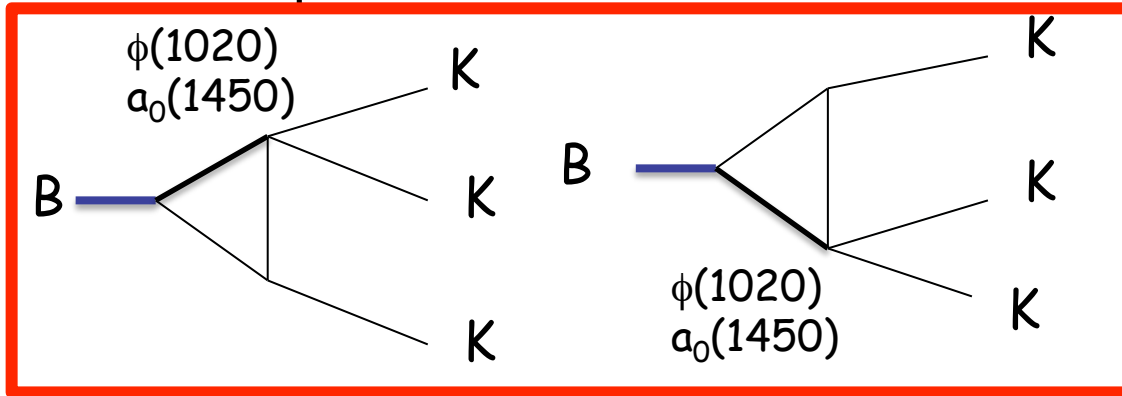


$b \rightarrow s \bar{c} c$  &  $s \bar{u} u$  `paint' re-scattering

$$\Delta\gamma(a) = |T(\bar{P} \rightarrow \bar{a})|^2 - |T(P \rightarrow a)|^2 = 4 \sum_{aj \neq a} T_{aj,a}^{\text{resc}}$$

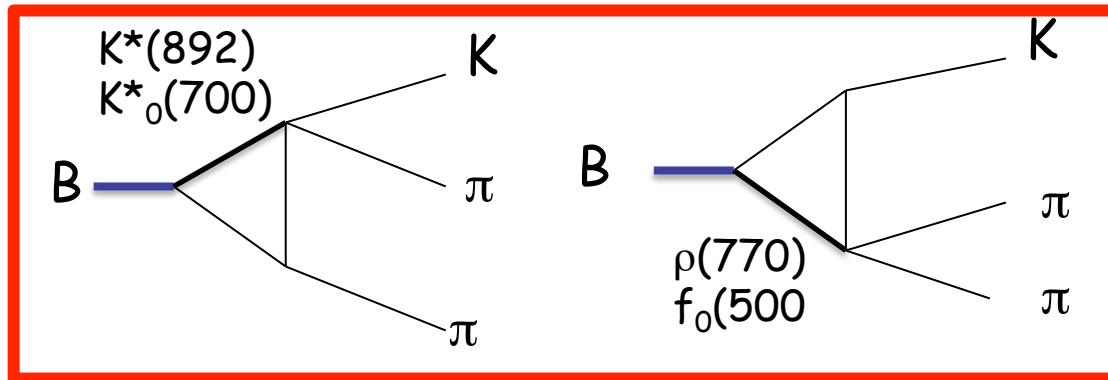
$$\text{Im} T_a^* T_{aj}$$

# The landscapes of hadrons



`effective' (=non-local) operators

Re-scattering is crucial to understand the underlying dynamics !

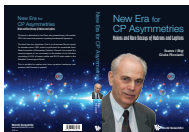


`effective' (=non-local) operators

One needs `judgment' about applying *resonances*, *threshold enhancements* etc. with tools like *dispersion relations*

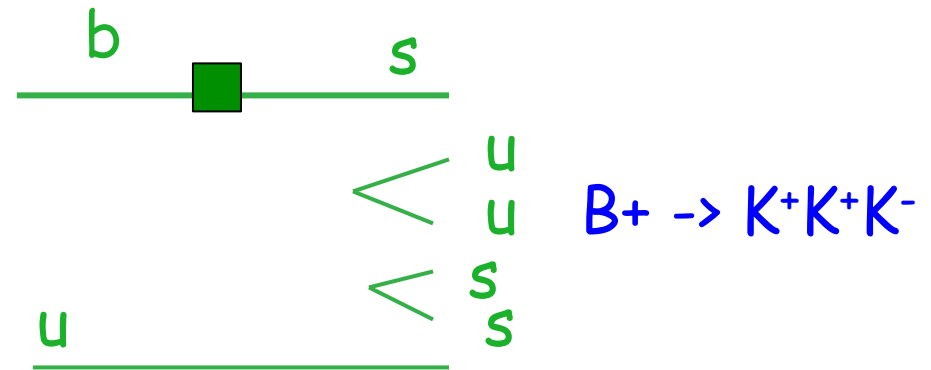
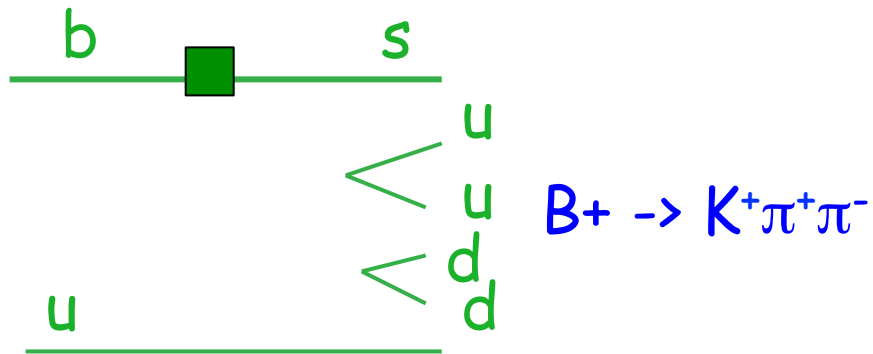
[LHCb for *DCS* decays, [arXiv:1902.05884v3\[hep-ex\]](https://arxiv.org/abs/1902.05884v3) about 8 TeV

`Dalitz plot analysis of the  $D^+ \rightarrow K^- K^+ K^+$  decay' with the Figure 9(a) on p. 12 only the top diagram, but *not* the bottom one; I disagree which I will explain below.]

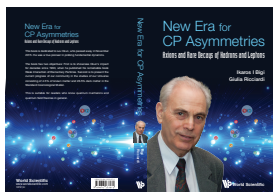
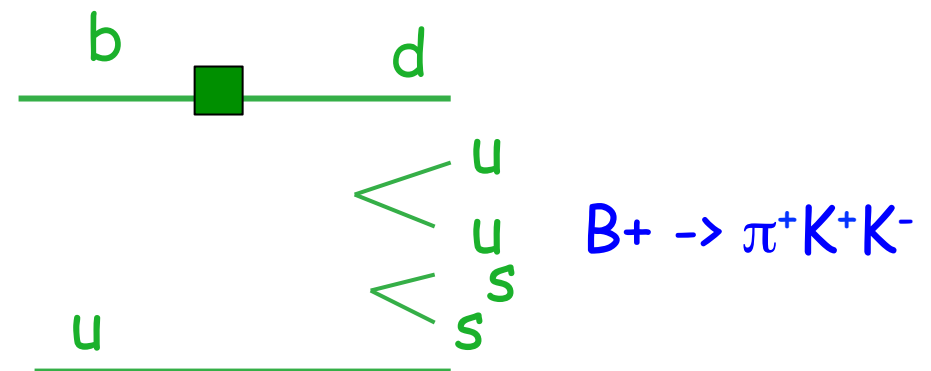
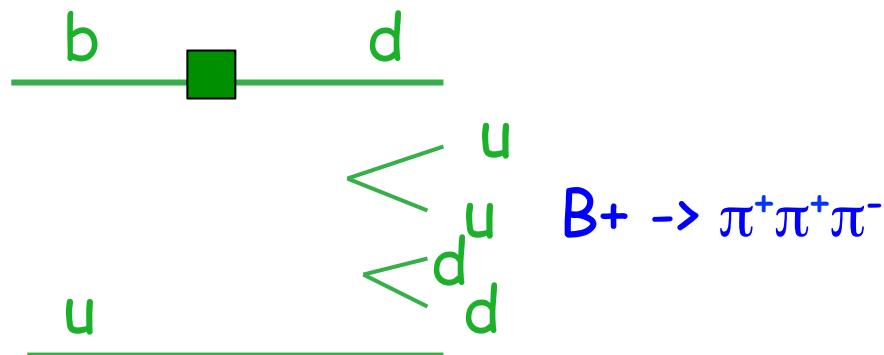


Look at quark diagrams:

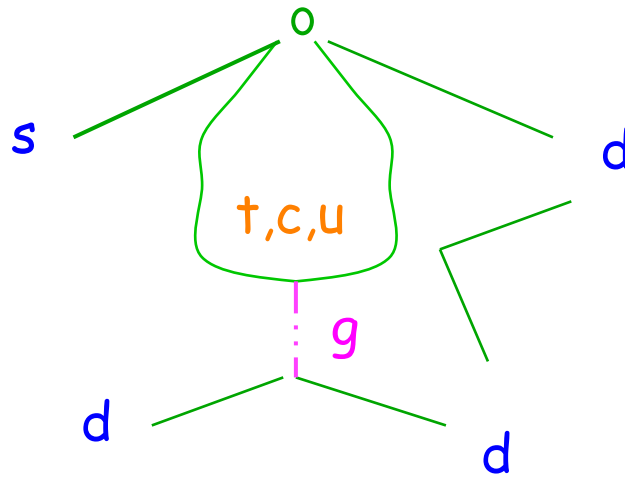
$b \rightarrow s$  -- impact of Penguin diagrams in the SM



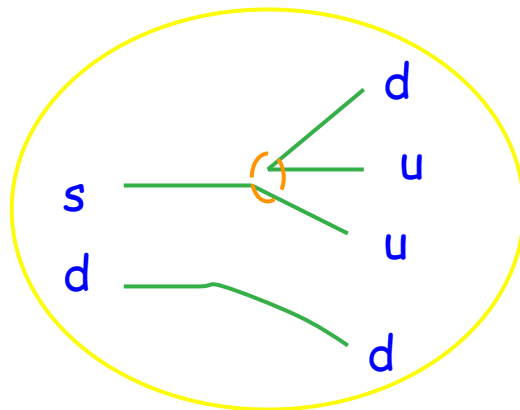
$b \rightarrow d$  -- less impact of Penguin diagrams in the SM



History:  
`penguin' diagrams

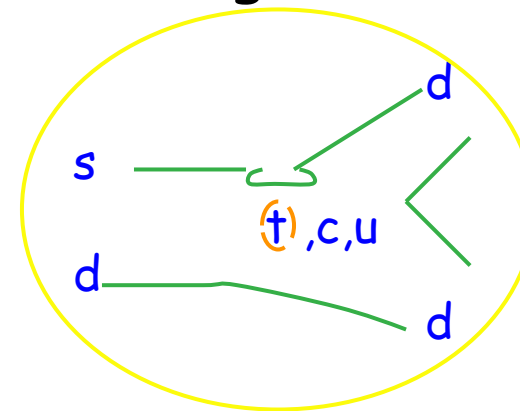


One should *not only* look on diagrams

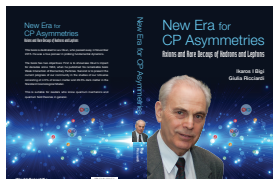


*local* operator

\*



*local* penguin operator for  $K^0 \rightarrow 2\pi$   
-- with *weak* phase



## (IV.2) $B^{+/-} \rightarrow K^{+/-} \pi^+ \pi^-$ vs. $B^{+/-} \rightarrow K^+ / - K^+ K^-$

LHCb data *run-1* about rates:

$$\text{BR}(B^+ \rightarrow K^+ \pi^+ \pi^-) = (5.10 \pm 0.29) \times 10^{-5};$$

$$\text{BR}(B^+ \rightarrow K^+ K^+ K^-) = (3.37 \pm 0.22) \times 10^{-5};$$

not surprising at all

averaged CP asymmetries

$$\Delta A_{CP}(B^+ \rightarrow K^+ \pi^+ \pi^-) = + 0.032 \pm 0.008 \pm 0.004 \pm 0.007;$$

$$\Delta A_{CP}(B^+ \rightarrow K^+ K^+ K^-) = - 0.043 \pm 0.009 \pm 0.003 \pm 0.007;$$

it is okay

*'regional'* CP asymmetries

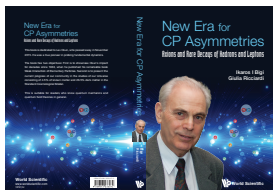
$$\Delta A_{CP}(B^+ \rightarrow K^+ \pi^+ \pi^-)|_{\text{'regional'}} = + 0.678 \pm 0.078 \pm 0.032 \pm 0.007;$$

$$\Delta A_{CP}(B^+ \rightarrow K^+ K^+ K^-)|_{\text{'regional'}} = - 0.226 \pm 0.020 \pm 0.004 \pm 0.007;$$



Very surprising due to two connected points:

- the centers of the Dalitz plots are somewhat empty
- the differences are so huge!



## (IV.3) $B^{+/-} \rightarrow \pi^{+/-}\pi^+\pi^-$ vs. $B^{+/-} \rightarrow \pi^{+/-}K^+K^-$

LHCb data *run-1* about rates:

$$\text{BR}(B^+ \rightarrow \pi^+\pi^+\pi^-) = (1.52 \pm 0.14) \times 10^{-5};$$

$$\text{BR}(B^+ \rightarrow \pi^+K^+K^-) = (0.50 \pm 0.07) \times 10^{-5};$$

not surprising

averaged CP asymmetries

$$\Delta A_{CP}(B^+ \rightarrow \pi^+\pi^+\pi^-) = + 0.117 \pm 0.021 \pm 0.009 \pm 0.007;$$

$$\Delta A_{CP}(B^+ \rightarrow \pi^+K^+K^-) = - 0.141 \pm 0.040 \pm 0.018 \pm 0.007;$$

maybe surprising

*'regional'* CP asymmetries

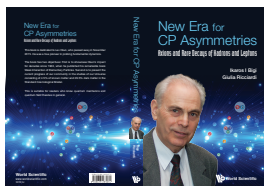
$$\Delta A_{CP}(B^+ \rightarrow \pi^+\pi^+\pi^-) |_{\text{'regional'}} = + 0.584 \pm 0.082 \pm 0.027 \pm 0.007;$$

$$\Delta A_{CP}(B^+ \rightarrow \pi^+K^+K^-) |_{\text{'regional'}} = - 0.648 \pm 0.070 \pm 0.013 \pm 0.007;$$

\*

Very surprising due to two connected points:

- the centers of the Dalitz plots are somewhat empty
- the differences are so huge!  
underlying dynamics are not obvious



## (IV.4) CP asymmetries with $\Delta C \neq 0$

April 2019: LHCb Collaboration has established *direct CP asymmetry*

Next steps:

-- Indirect CP violation

-- *SCS* decays:  $D^0 \rightarrow 2\pi^+2\pi^-/K^+K^-\pi^+\pi^-$ :

- Averaged CPV:

SM  $\sim 0.001$

- Regional CPV:

large impact of re-scattering like  $\sim 0.01$  or more

-- *DCS* decays:  $D^0 \rightarrow K^+\pi^-\pi^+\pi^-/2K^+K^-\pi^-$ :

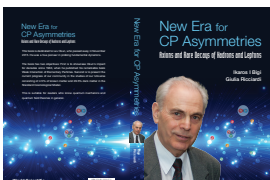
- Averaged CPV:

basically zero for the SM

- Regional CPV:

hunting region for ND with no SM background if one has large data;

at least novel lessons about non-perturbative QCD



## (IV.5) $\Delta C \neq 0$ with 3-body FS

LHCb for *DCS* decays, [arXiv:1810.03138 \[hep-ex\]](https://arxiv.org/abs/1810.03138) about 8 TeV (not run-2)

$$(1a) \text{BR}(D^+ \rightarrow K^+K^+K^-) = (0.587 \pm 0.002 \pm 0.004 \pm 0.018) \times 10^{-4}$$

$$(1b) \text{BR}(D^+ \rightarrow K^+\pi^+\pi^-) = (4.70 \pm 0.01 \pm 0.02 \pm 0.15) \times 10^{-4}$$

$$(1c) \text{BR}(D_s^+ \rightarrow K^+\pi^-K^+) = (1.293 \pm 0.013 \pm 0.014 \pm 0.040) \times 10^{-4}$$

Look at Feynman diagrams in Figs. 1(a), 1(b) & 1(c) on page 1 of this article:

-- Figs. 1(b) & 1(c) are okay, but incomplete.

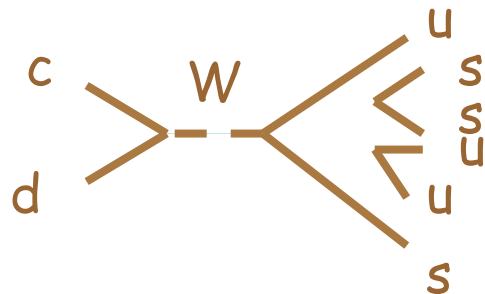
-- however, my main problem comes from Fig. 1(a) [to put it politely].

LHCb for *DCS* decays, [arXiv:1902.05884v3\[hep-ex\]](https://arxiv.org/abs/1902.05884v3) about 8 TeV (not run-2)

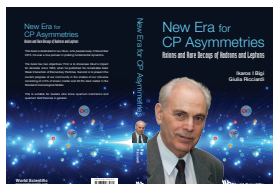
published in JHEP 04 (2019) 063

`Dalitz plot analysis of the  $D^+ \rightarrow K^-K^+K^+$  decay'

p. 12, `Figure 9 (a) is assumed to be the dominant mechanism ...'



-- `WA' no chance to be the leading source !  
 -- `WA'  $\leftrightarrow$  re-scattering (FSI) is *misleading* !





# (IV.5) $\Delta C \neq 0$ with 3-body FS

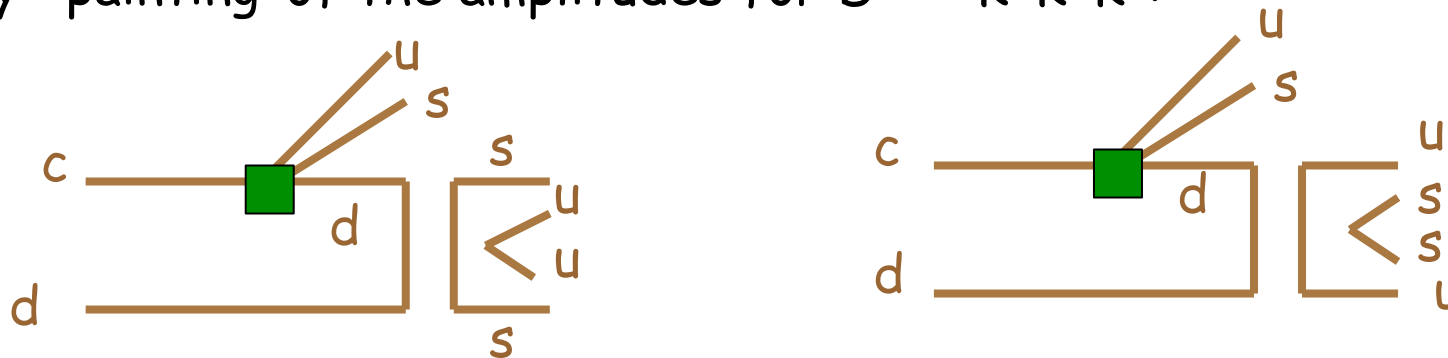
LHCb for *DCS* decays, [arXiv:1810.03138 \[hep-ex\]](https://arxiv.org/abs/1810.03138) from 8 TeV;  
[arXiv:1902.05884v3 \[hep-ex\]](https://arxiv.org/abs/1902.05884v3) from 8 TeV:

$$\text{BR}(D^+ \rightarrow K^+K^+K^-) = (0.587 \pm 0.002 \pm 0.004 \pm 0.018) \times 10^{-4}$$

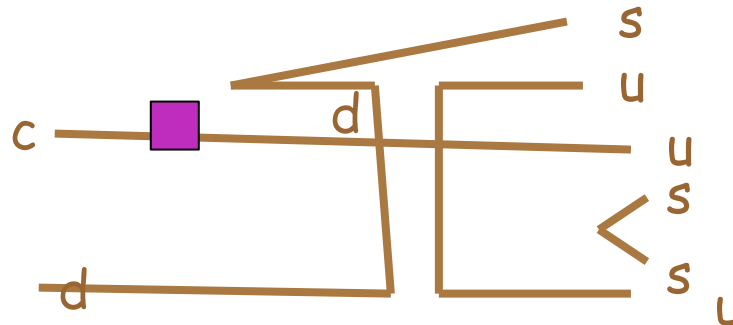
$$[\text{BR}(D^+ \rightarrow K^+\pi^+\pi^-) = (4.70 \pm 0.01 \pm 0.02 \pm 0.15) \times 10^{-4}$$

$$[\text{BR}(D_s^+ \rightarrow K^+\pi^-K^+) = (1.293 \pm 0.013 \pm 0.014 \pm 0.040) \times 10^{-4}]$$

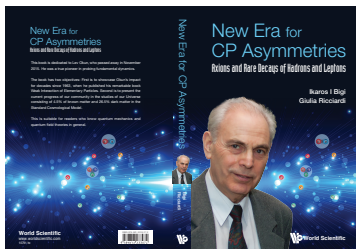
My 'painting' of the amplitudes for  $D^+ \rightarrow K^+K^+K^-$ :



\*



-- 'WA'  $\leftrightarrow$  re-scattering (FSI)  
 is *misleading!*  
 -- effective chiral Lagrangian ?

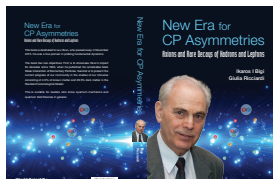


## (V) Challenges for Beauty & Charm & Strange *Baryons*

### (V.1) CP asymmetries in the decays of $\Lambda_b^0$

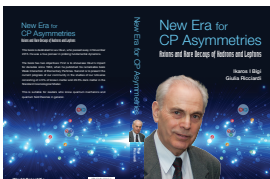


- First step: probe  $\Lambda_b^0 \rightarrow p \pi^- / p K^-$  ;  
no sign, but it is beyond realistic scale
- I had suggested before to probe Dalitz plots  
 $\Lambda_b^0 \rightarrow \Lambda \pi^+ \pi^- / \Lambda K^+ K^-$
- LHCb came by with a novel idea: probe  $\Lambda_b^0 \rightarrow p \pi^- \pi^+ \pi^-$   
between two planes
  - Its result: CPV with  $3.3 \sigma$  uncertainties with
  - *regional asymmetries*  $\sim 20\%$  due to  $[p \pi^-_{\text{fast}}][\pi^+ \pi^-_{\text{slow}}]!$
  - *Present data & analyses* about  $[p \pi^-_{\text{slow}}][\pi^+ \pi^-_{\text{fast}}]?$   
No predictions - we have to learn from the (re-fined) data!
- probe  $\Lambda_b^0 \rightarrow p \pi^- K^+ K^-$  where 3 mesons are different
- likewise  $\Lambda_b^0 \rightarrow p K^- \pi^+ \pi^-$  [different] /  $p K^- K^+ K^-$  [complex]
- application of QFT are subtle due to non-local interferences
  - thus decays of  $\Lambda_b^0$  are excellent cases of underlying dynamics
  - *no information from run-2 yet.*



## (V.2) Present and future lessons $\Delta C \neq 0$

- When one goes for CPV, one cannot stop at 2-body FS: crucial to probe 3- & 4-body FS including regional CPV.
- On first & second steps one goes after SCS ones where the SM predicts small CPV on the order of  $O(10^{-3})$ .
- For DCS decays the SM predicts basically zero; hunting regions for ND.
- One has to probe CPV in charm baryons with Dalitz plots
  - SCS:  $\Lambda_c^+ \rightarrow p \pi^+ \pi^- / p K^+ K^-$
  - DCS:  $\Lambda_c^+ \rightarrow p K^+ \pi^-$



## (V.3) Present and future lessons $\Delta S \neq 0$

-- We know that CP asymmetries has been found & established in the transitions of neutral strange mesons:

- *indirect* CPV in  $K^0 \rightarrow 2\pi$  with the scale  $\sim 2.23 \times 10^{-3}$  data

- *direct* CPV in  $K^0 \rightarrow 2\pi$  with  $\left\{ \begin{array}{l} \sim 3.6 \times 10^{-6} \text{ data} \\ < 2.2 \times 10^{-6} \text{ SM ?!} \\ \sim 1.1 \times 10^{-6} \text{ "Buras team[LQCD]"} \end{array} \right.$  \*

- amazing established of data & analyses

- it *might be beyond* the SM: "Buras team" ["LQCD"].

-- Next step for direct CP asymmetry in strange *baryons*

$e^+e^- \rightarrow J/\psi \rightarrow \Lambda \Lambda \rightarrow [p \pi^+][p \pi^-]$

- BESIII will probe CPV by 2018/19 with below  $10^{-3}$

-- duality violation enhanced close to thresholds ?

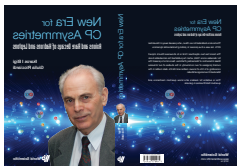
-- A novel 'road'

Giovanni Punzi:

LHCb could do much better with *run-3/4* below  $10^{-4}$ !

$J/\psi \rightarrow \Lambda \Lambda \rightarrow [p \pi^+][p \pi^-]$  \*

- Some details:  $J/\psi \rightarrow \Upsilon \Upsilon \rightarrow [X \pi] [X \pi]$  with a dedicated trigger



"Imagination created reality" - Richard Wagner  
or: "dedicated trigger"

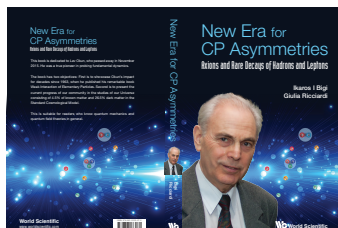
## (VI) Summary: need Collaboration of HEP & MEP/Hydrodynamics

about fundamental dynamics:

- (a) *Two-body* final states do not give 'royal insights' in general;
- (b) diagrams give no 'royal ones';
- (c) Wolfenstein's parameterization of the CKM matrix is well-known & used all the time, but it is *not* 'royal ones' for *this* century;
- (d) pole mass gives no 'royal insights'!

"Goals for *flavor dynamics* of quarks":

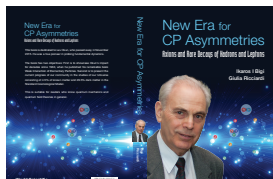
- ☞ Probing CP asymmetries in 3- & 4-body FS of charm & beauty hadrons is crucial to find both existence & features of ND.  
[At least it shows the impact of non-perturbative QCD.]
- ☞ theorists do not like waiting: *results from run-2!*
- ☞ waiting for run-3 & run-4: that is life.



# When Gods(Symmetries) speak in Riddles

? Tragic Oracles & Tragic Mis-understanding ?

LHCb & Belle II both as a pioneer about non-pert. QCD & weak dynamics -  
as a team of experimenters and HEP (& MEP) theorists  
[as before BaBar & Belle]

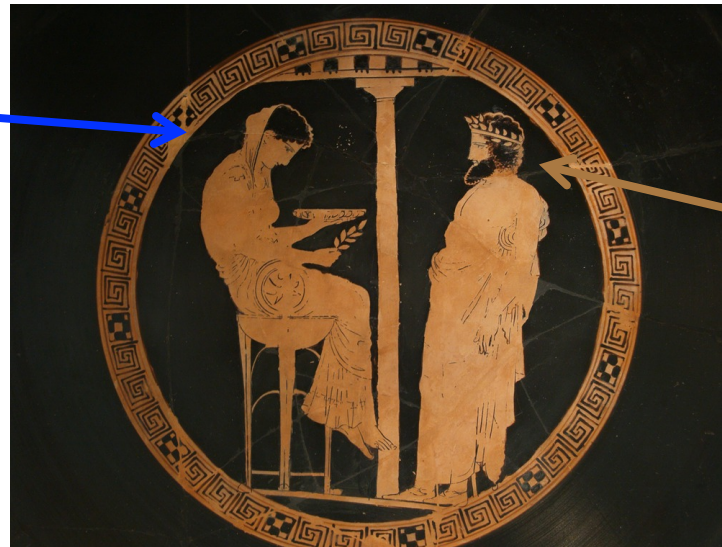


# When Gods(Symmetries) speak in Riddles

? Tragic Oracles & Tragic Mis-understanding ?

LHCb & Belle II both as a pioneer about non-pert. QCD & weak dynamics -  
as a team of experimenters and HEP (& MEP) theorists  
[as before BaBar & Belle]

experimenters

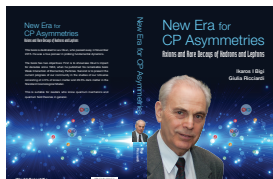


theorists

“On seeing the missile shot by a catapult which had been brought then for the first time from Sicily”, the king from Sparta in the fourth century B.C. cried out:

‘ By Heracles, this is the end of man’s valor.’ ”

Analogy with computers?



Very short summary:

-- `We' need more data, but that is not enough -  
thinking & judgments about the impact of *long distance* QCD!

[-- HQET [with  $\mu = 0$ ]  $\neq$  HQE [ $\mu \sim 1 \text{ GeV} > 0$ ]

HQET: `observables' = perturb. forces + non-perturb. Forces

HQE: "observables" = "long-distance" forces + "short-distance" ones]

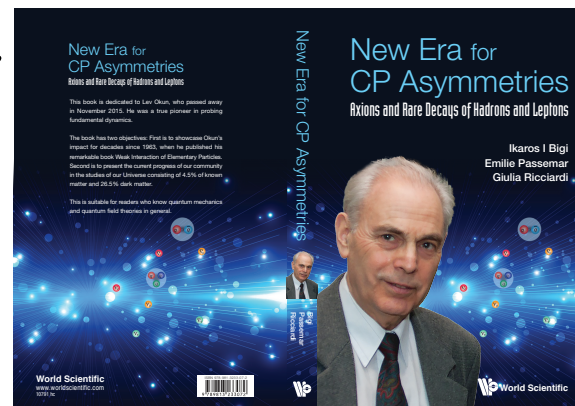
-- best fitted analyses do not give the best information about the  
underlying dynamics

-- CP asymmetries in 3- & 4-FS is crucial to make progress about ND

$$\Delta\gamma(a) = |T(P \rightarrow a)|^2 - |\bar{T}(P \rightarrow a)|^2 = 4 \sum_{aj \neq a} T_{aj,a}^{\text{resc}} \text{Im} T_a^* T_{aj}$$

-- `Challenges between Cultures' of HEP vs. Hadrodynamics  
like "current quarks" vs. `pole masses of hadrons'

-- My new book will be published in the  
Summer/Fall 2019:  
dedicated to L. Okun





# Back-up slides

Final steps need `judgment' about applying resonances, threshold enhancements etc. with dispersion relations

- 1<sup>st</sup> step: models;
- 2<sup>nd</sup> step: model-independent
- 3<sup>rd</sup> step: **best fitted analyses** often do *not* give us the best information about the **underlying dynamics - correlations & judgments**

Future lessons for LHCb/Belle II

Yes, the data are the referees, but in the end -  
**theorists** should **not** be the **slaves of the data** !

One example:

IIB & collab.:

$$\tau(\Lambda_b)/\tau(B_d) > 0.9 \text{ 1993; } \sim 0.94 \text{ \& } > 0.88 \text{ 1996}$$

Data:  $\tau(\Lambda_b)/\tau(B_d) = 0.77 \pm 0.05$  1996;  $0.81 \pm 0.05$  2004;  $0.94 \pm 0.09$  2005

"Imagination created reality" - Richard Wagner

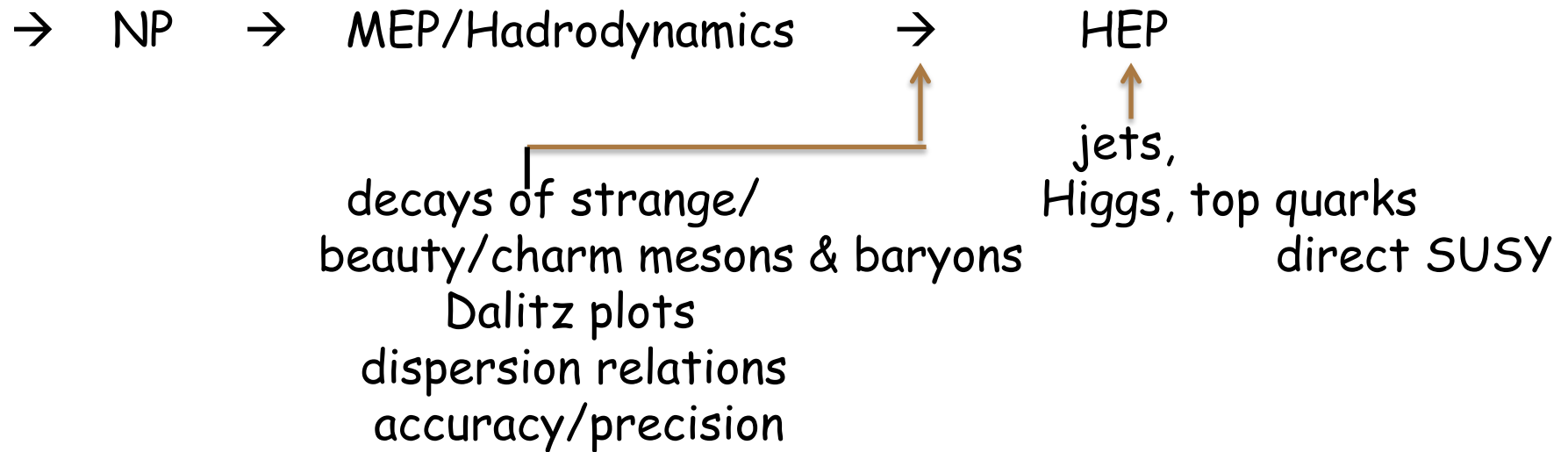
or:

"dedicated trigger"

-- history



-- now

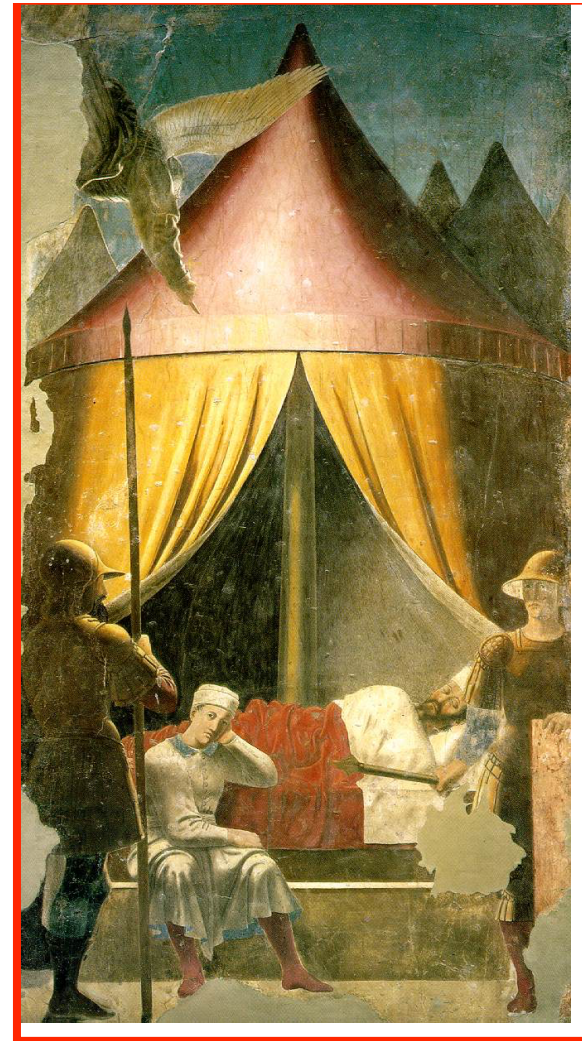


different 'landscapes' & "cultures": it is not easy, but important

- pions, kaons, ..., N, ... vs. quarks & gluons
- 3- & 4-body FS and regional CP asymmetries



`thinking is better than power'



`dreaming in more dimensions'  
Kolya Uraltsev & I had looked at this painting *in person* & realized that it is symbol of collaboration.